From shells and gold to plastic and silicon: a theory of the evolution of money, in the spirit of Keynes

Keynes Lecture
British Academy
17 October 2007

From shells and gold to plastic and silicon: a theory of the evolution of money, in the spirit of Keynes

John Moore
Edinburgh and LSE

joint work with

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formerly London School of Economics
now Princeton University

development of financial system

economic development

development of financial system

economic development

problem: money & financial intermediation
don’t fit into standard framework

development of financial system

economic development

problem: money & financial intermediation
don't fit into standard framework

need to model: LIQUIDITY
& LIQUIDITY PREFERENCE
(Keynes)

two aspects of financial contracting:

- bilateral commitment
- multilateral commitment

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- bilateral commitment
- multilateral commitment

both may be limited

limited bilateral commitment:

limit on how much borrower can credibly promise to repay *initial lender*

limited bilateral commitment:

limit on how much borrower can credibly promise to repay *initial lender*

limited multilateral commitment:

limit on how much borrower can credibly promise to repay *any bearer* of the debt

multilateral commitment is harder
than bilateral commitment

– because the initial lender, as an insider, may become better informed about the borrower than outsiders

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than bilateral commitment

– because the initial lender, as an insider, may become better informed about the borrower than outsiders

$\Rightarrow$ adverse selection in secondary market for debt

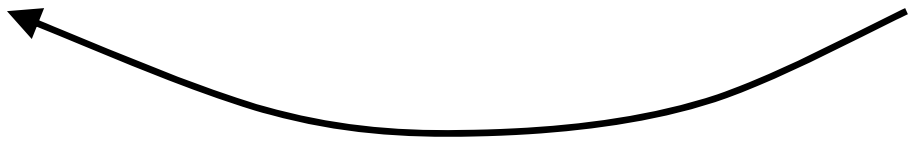
borrower

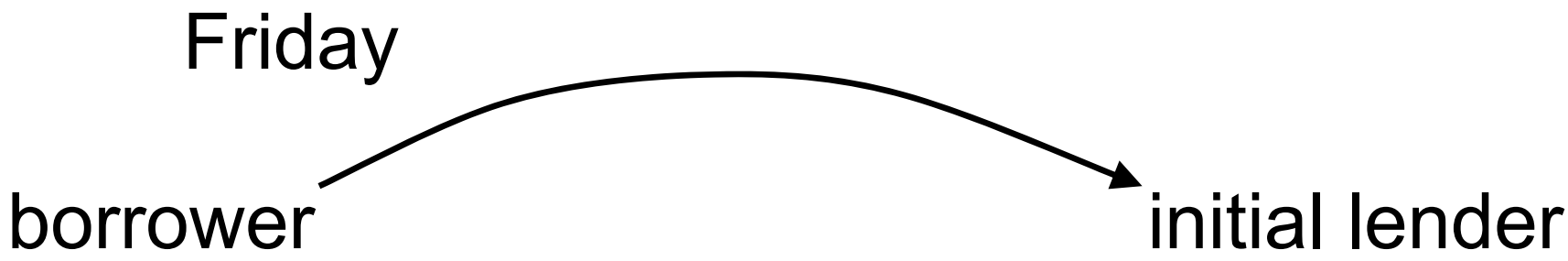
initial lender

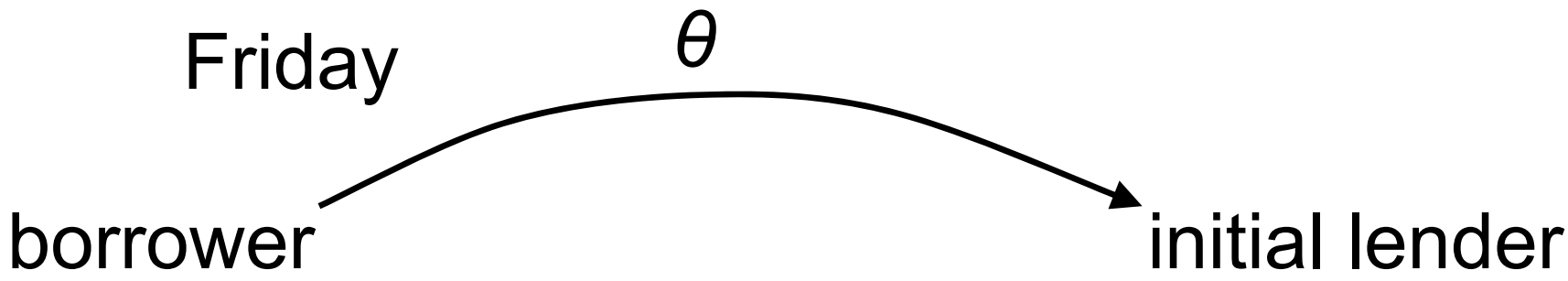
Wednesday

borrower

initial lender

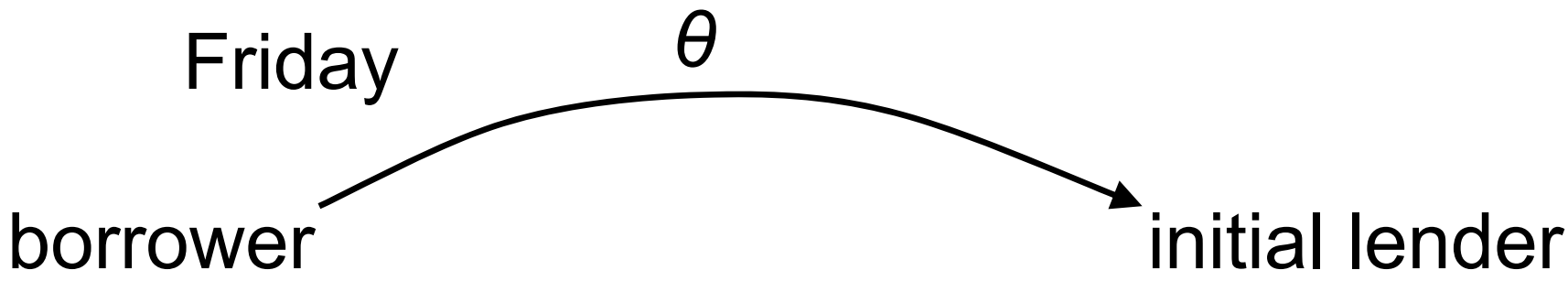



Friday
borrower
initial lender



θ = fraction of output that borrower can credibly commit to repay initial lender

θ *less* than 100%, because of moral hazard



θ = fraction of output that borrower can credibly commit to repay initial lender

θ in part reflects legal structure;
one simple measure of financial depth;
captures degree of "*trust*" in economy

Thursday

borrower

initial lender

Thursday

borrower

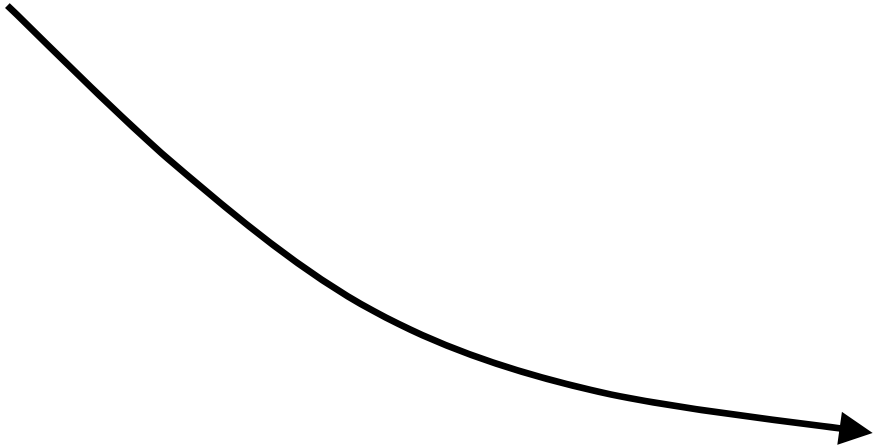
initial lender

new lender

Friday

borrower

initial lender

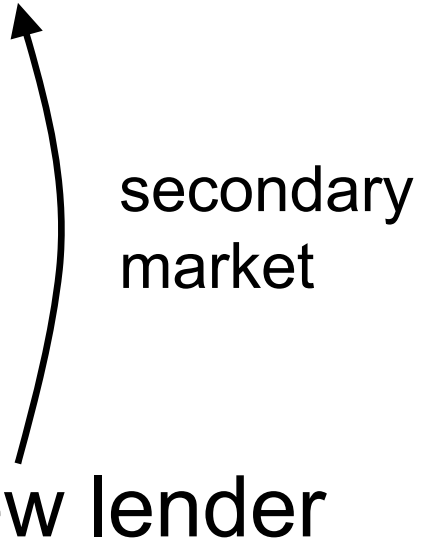


new lender

Thursday

borrower

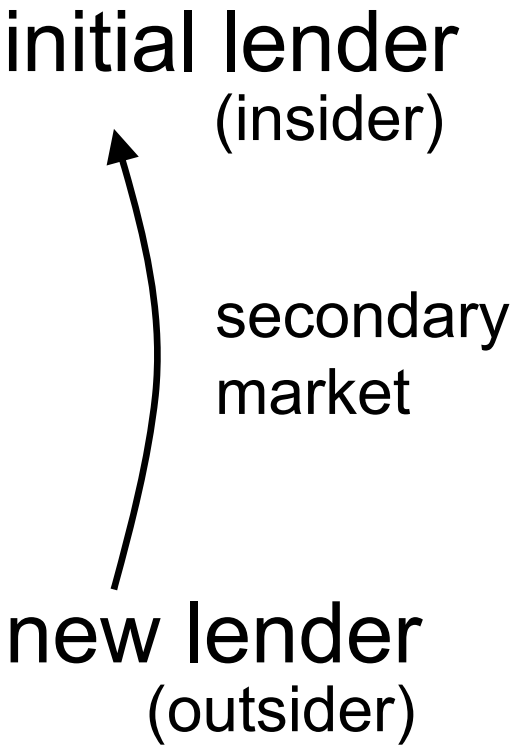
initial lender



new lender

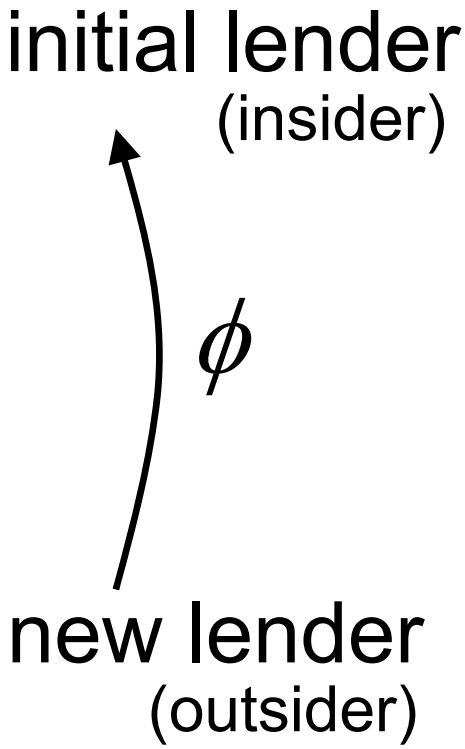
Thursday

borrower



Thursday

borrower



ϕ indexes the efficiency of secondary market;

another simple measure of financial depth;

captures degree of "*liquidity*" in economy

3 types of paper

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blue paper ≡ non-circulating private paper
(sold on Wednesday: but
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red paper ≡ circulating private paper
(can be resold on Thursday:
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("outside money")

3 types of paper

blue paper ≡ non-circulating private paper
Moore
(sold on Wednesday: but
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(can be resold on Thursday:
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("outside money")

3 types of paper

blue paper ≡ non-circulating private paper
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(sold on Wednesday: but
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3 types of paper

blue paper ≡ non-circulating private paper
Moore
(sold on Wednesday: but
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red paper ≡ circulating private paper
Branson
(can be resold on Thursday:
"inside money")

green paper ≡ shells & gold / fiat money
King
("outside money")

mnemonic

blue paper – ice: illiquid

red paper – blood: liquid: circulates around economy

green paper – dollar bills (“greenbacks”)

coming next …

coming next …

A Brief History of Money
(very brief!)

coming next …

A Brief History of Money
(very brief!)

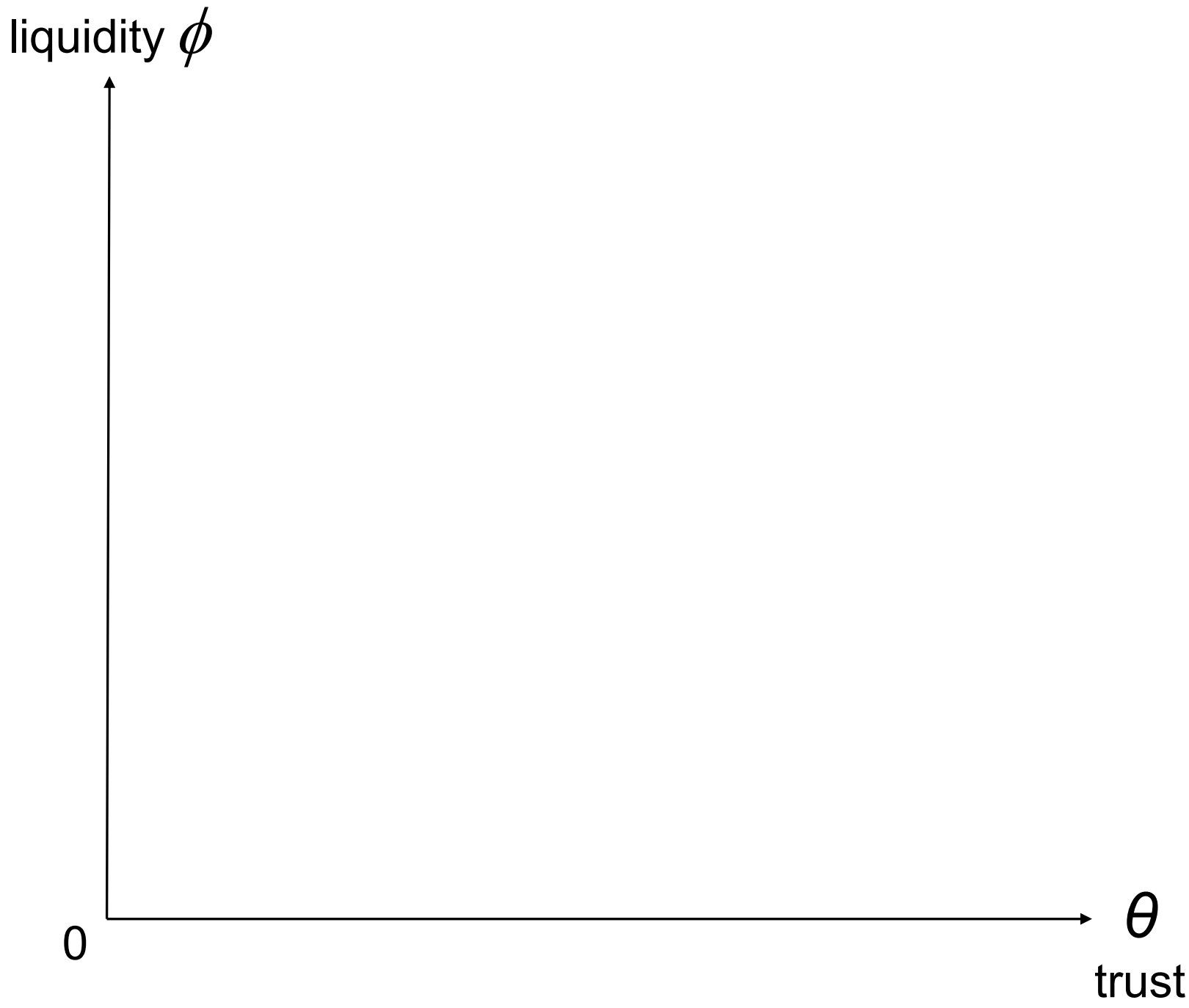
and also …

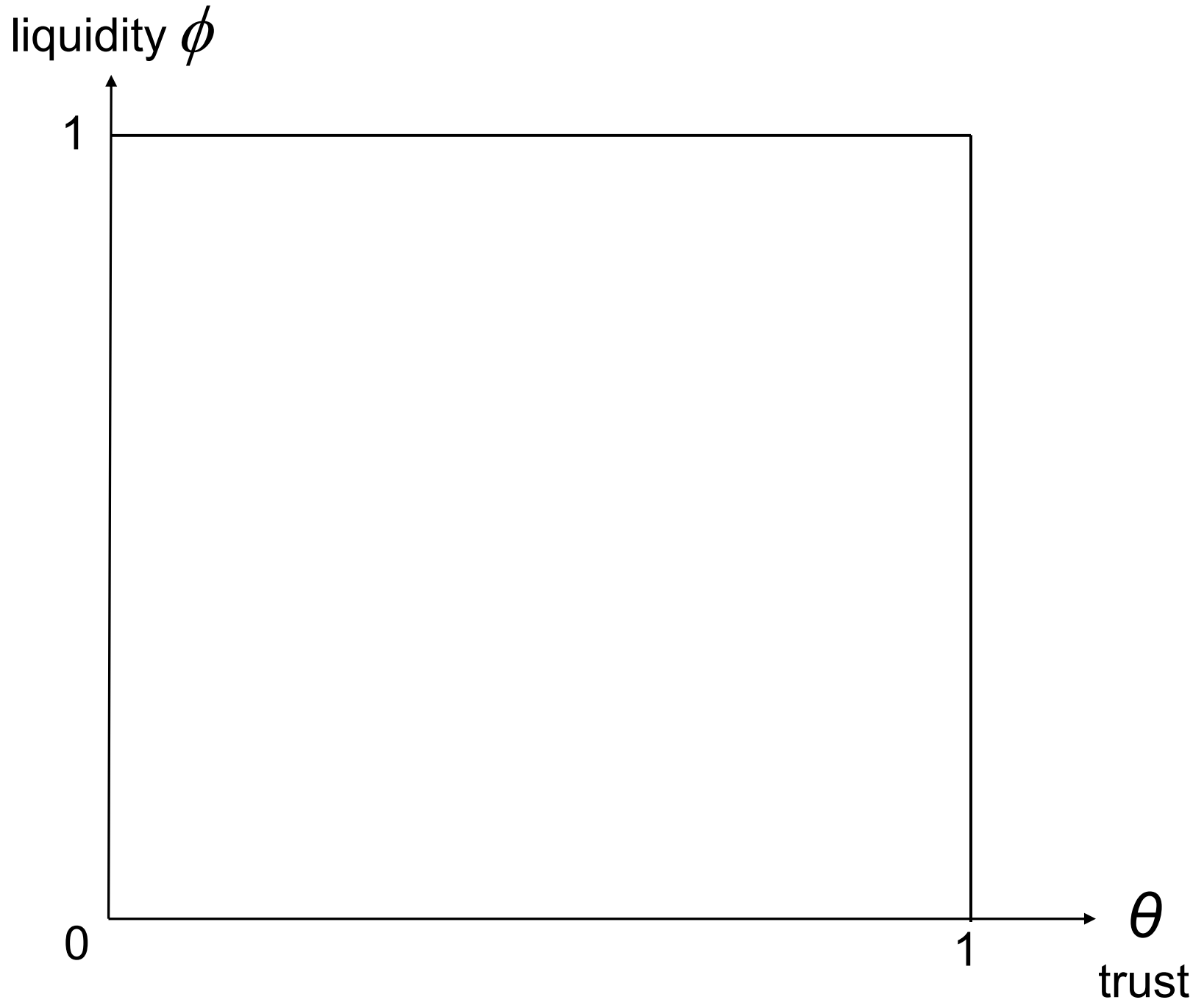
coming next …

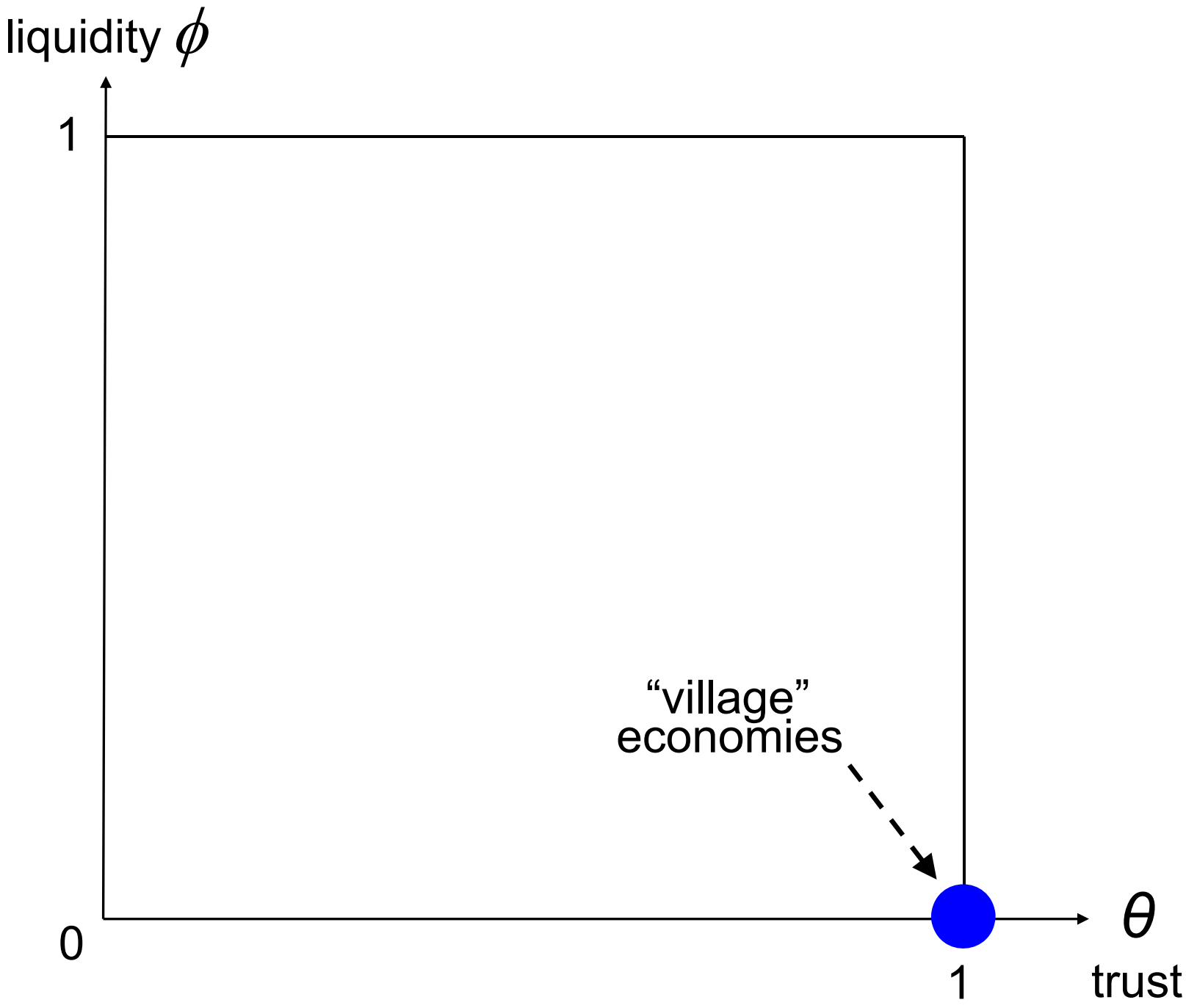
A Brief History of Money
(very brief!)

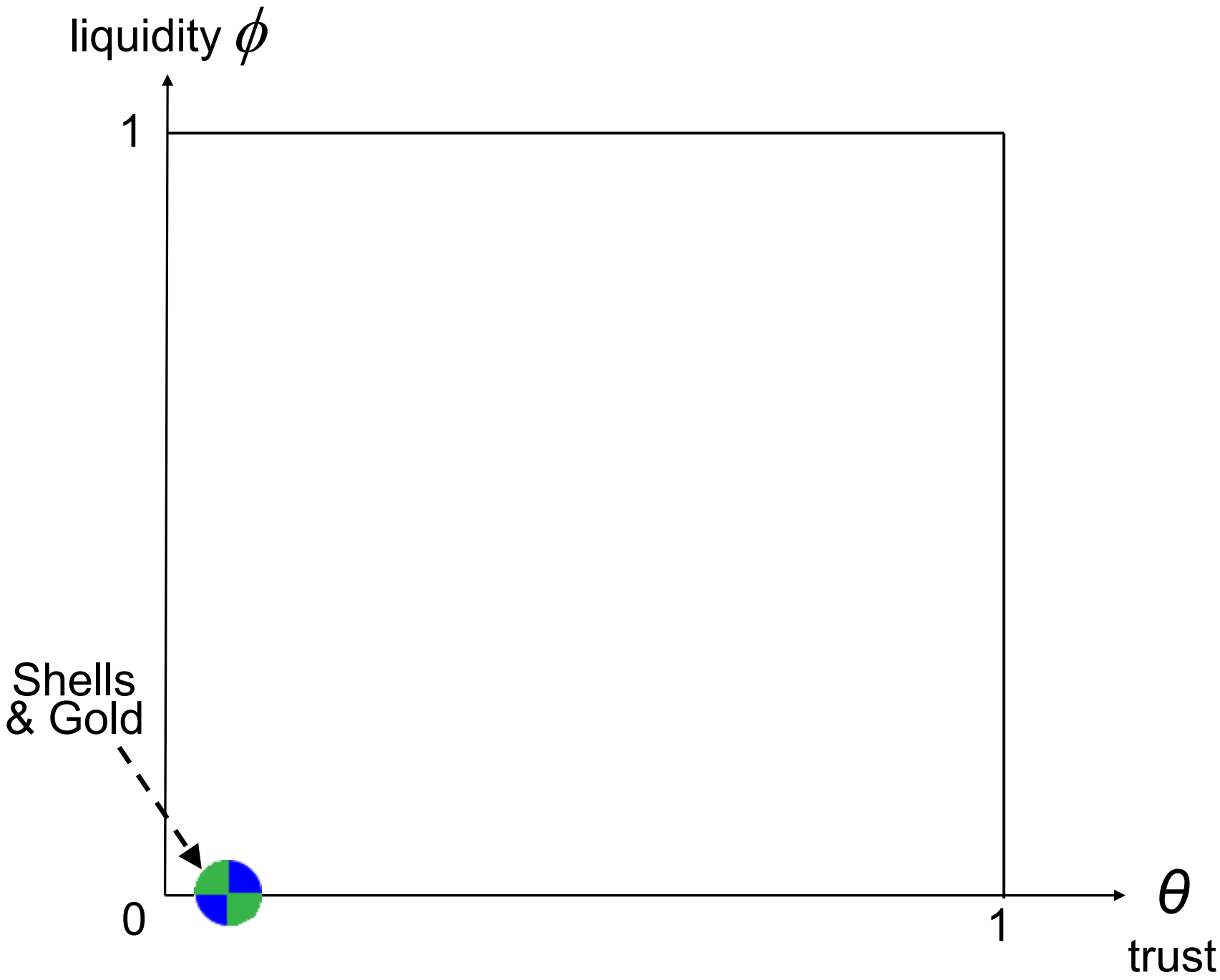
and also …

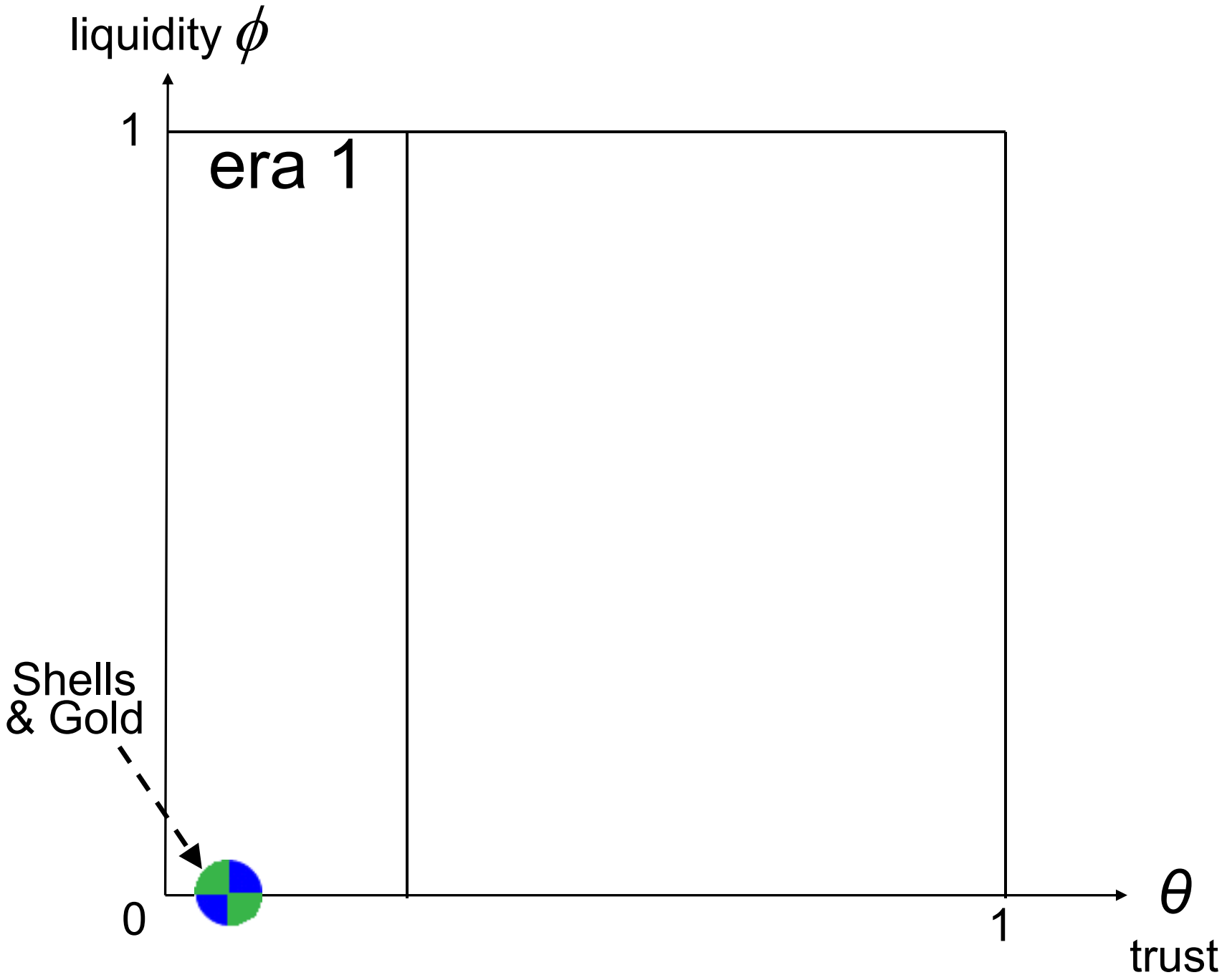
A Vision of the Future
(two visions)

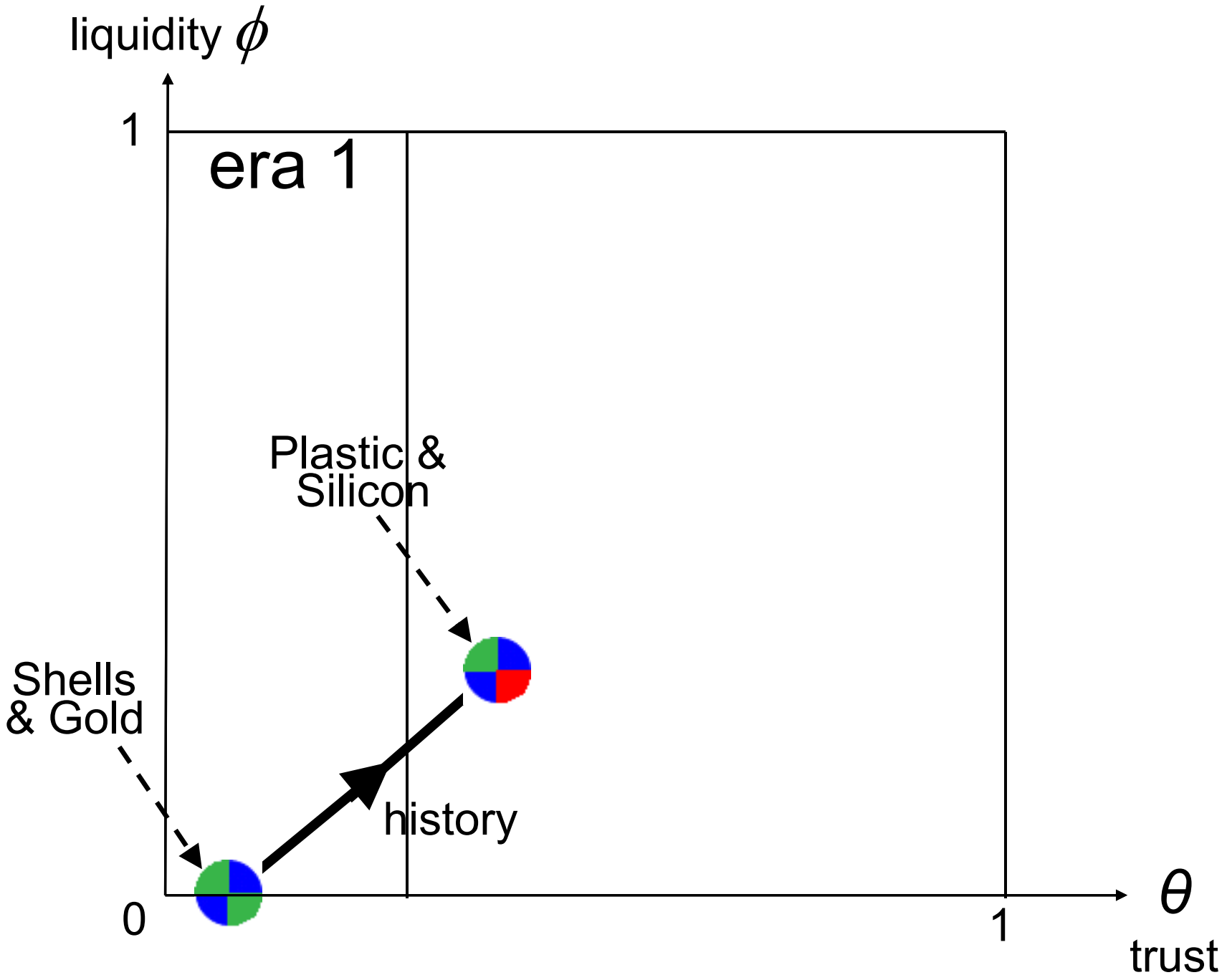

liquidity ϕ
0
θ
trust

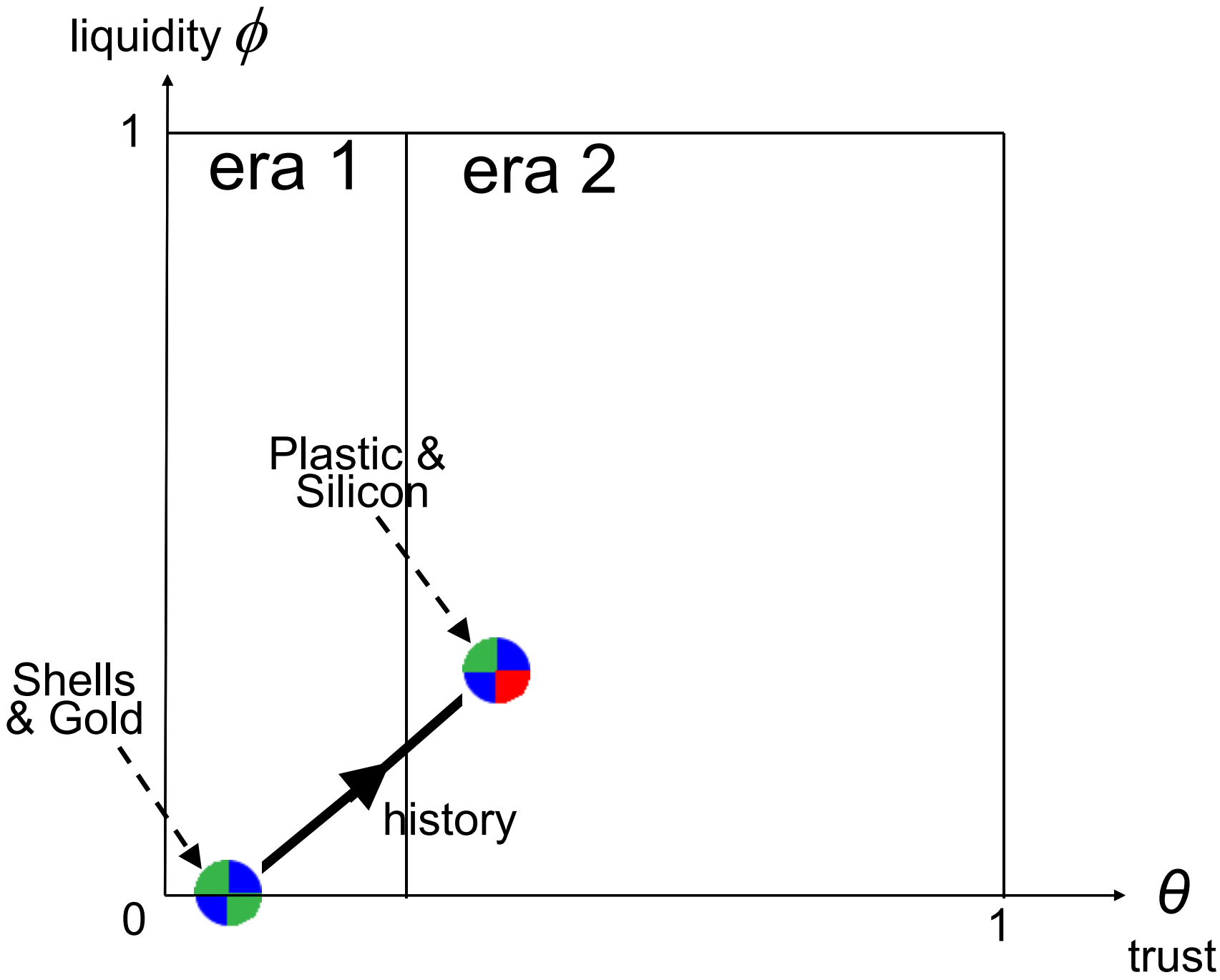

liquidity ϕ
1
0
1
θ
trust


liquidity ϕ
1
0
"village"
economies
1
θ
trust


liquidity ϕ
1
Shells
& Gold
0
1
θ
trust


liquidity ϕ
1
era 1
Shells
& Gold
0
1
θ
trust


liquidity ϕ
1
era 1
Plastic &
Silicon
Shells
& Gold
history
0
1
θ
trust


liquidity ϕ
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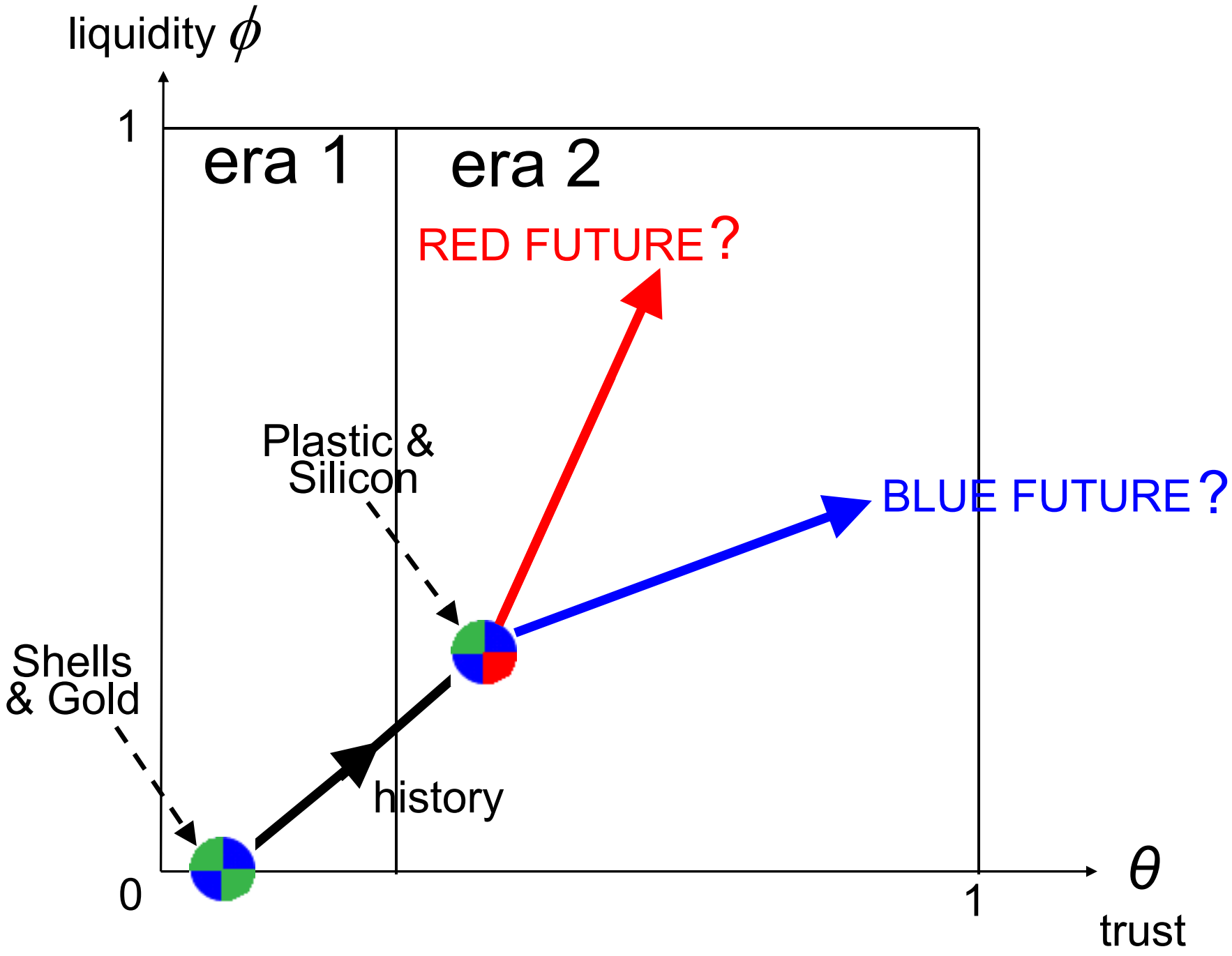
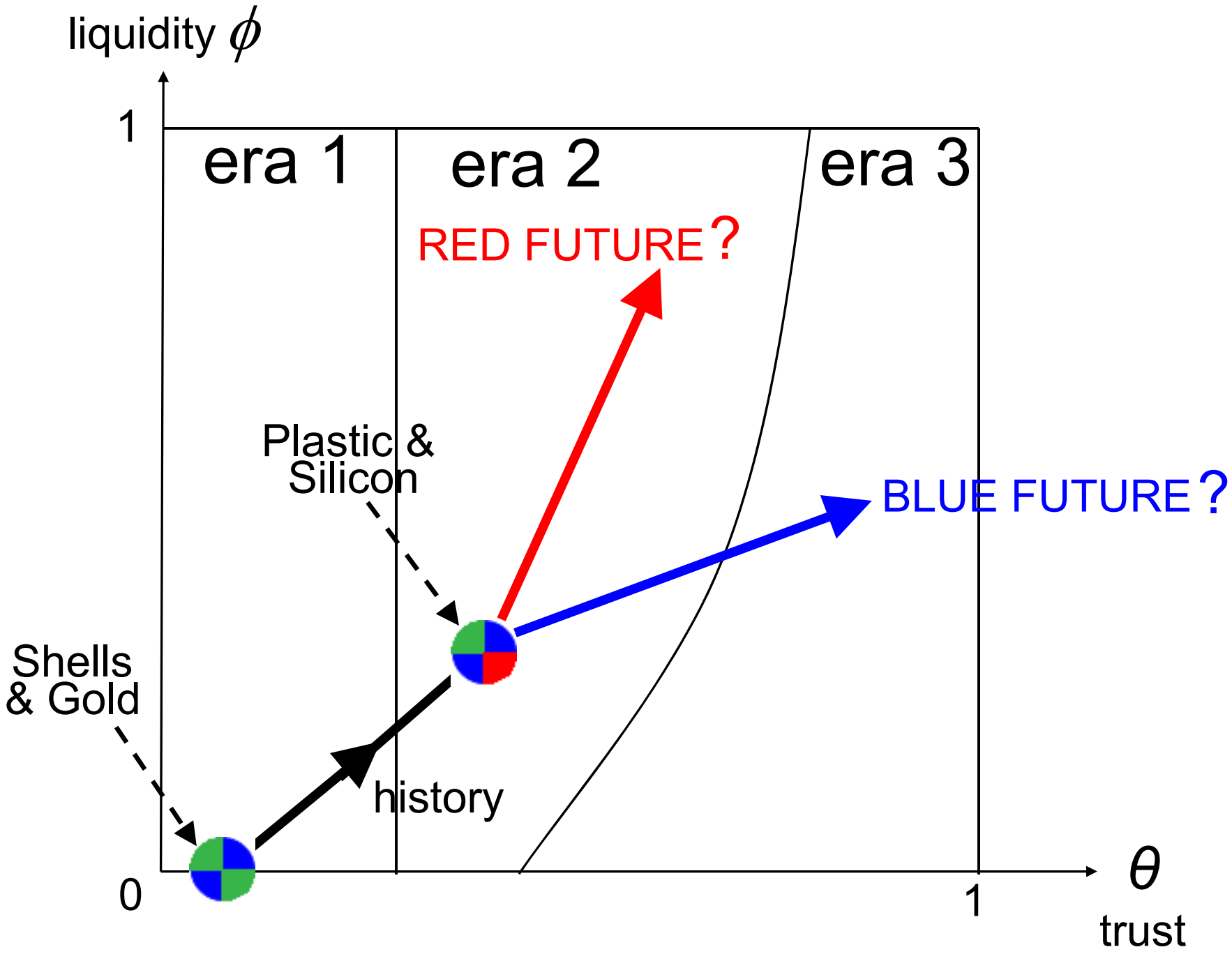
era 1
era 2
Plastic &
Silicon
Shells
& Gold
history
0
1
θ
trust


liquidity ϕ
1
era 1
era 2
RED FUTURE?
Plastic &
Silicon
BLUE FUTURE?
Shells
& Gold
history
0
1
θ
trust


liquidity ϕ
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era 1
era 2
era 3
RED FUTURE?
Plastic &
Silicon
BLUE FUTURE?
Shells
& Gold
history
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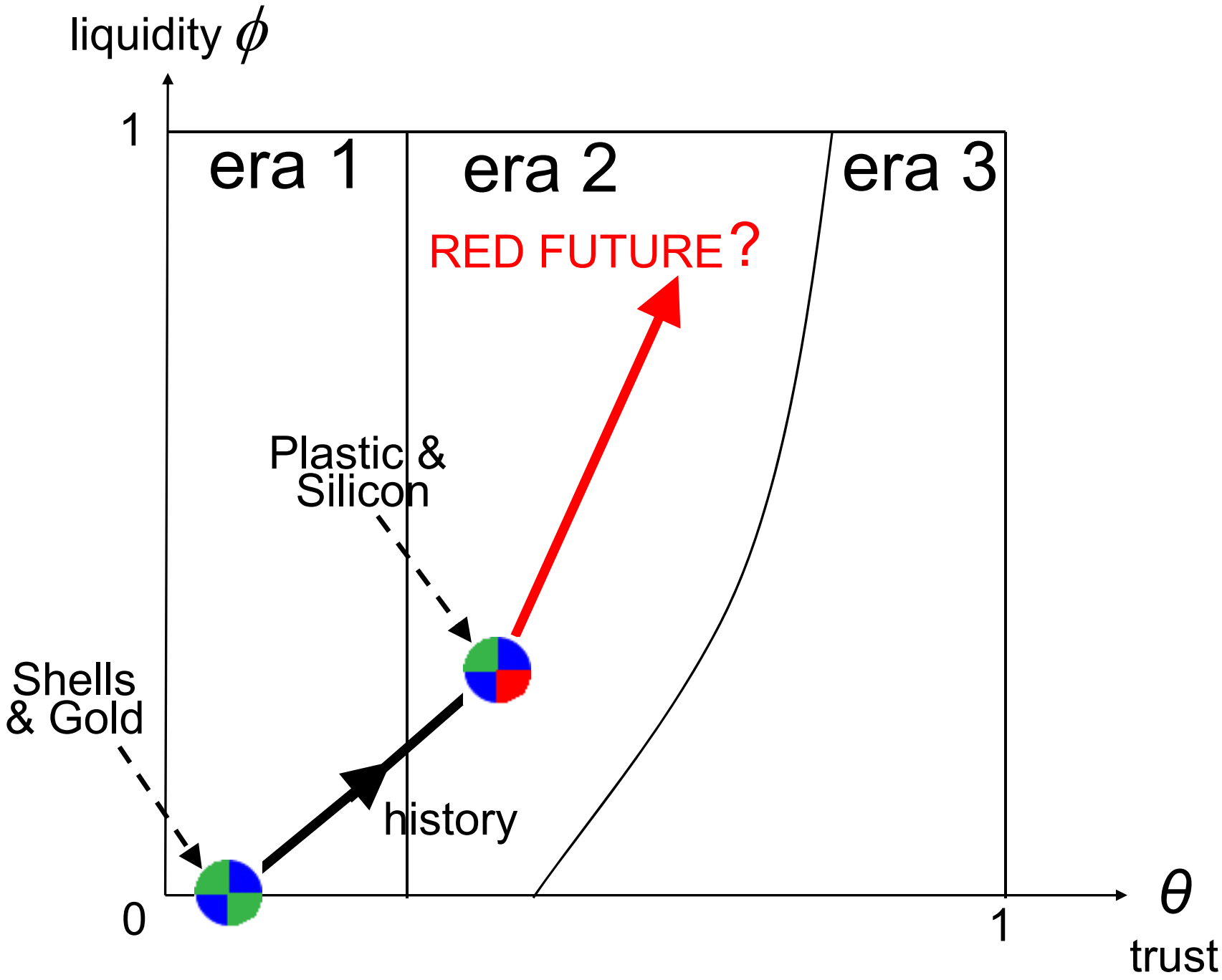
θ
trust


liquidity ϕ
1
era 1
era 2
era 3
RED FUTURE?
Plastic &
Silicon
Shells
& Gold
history
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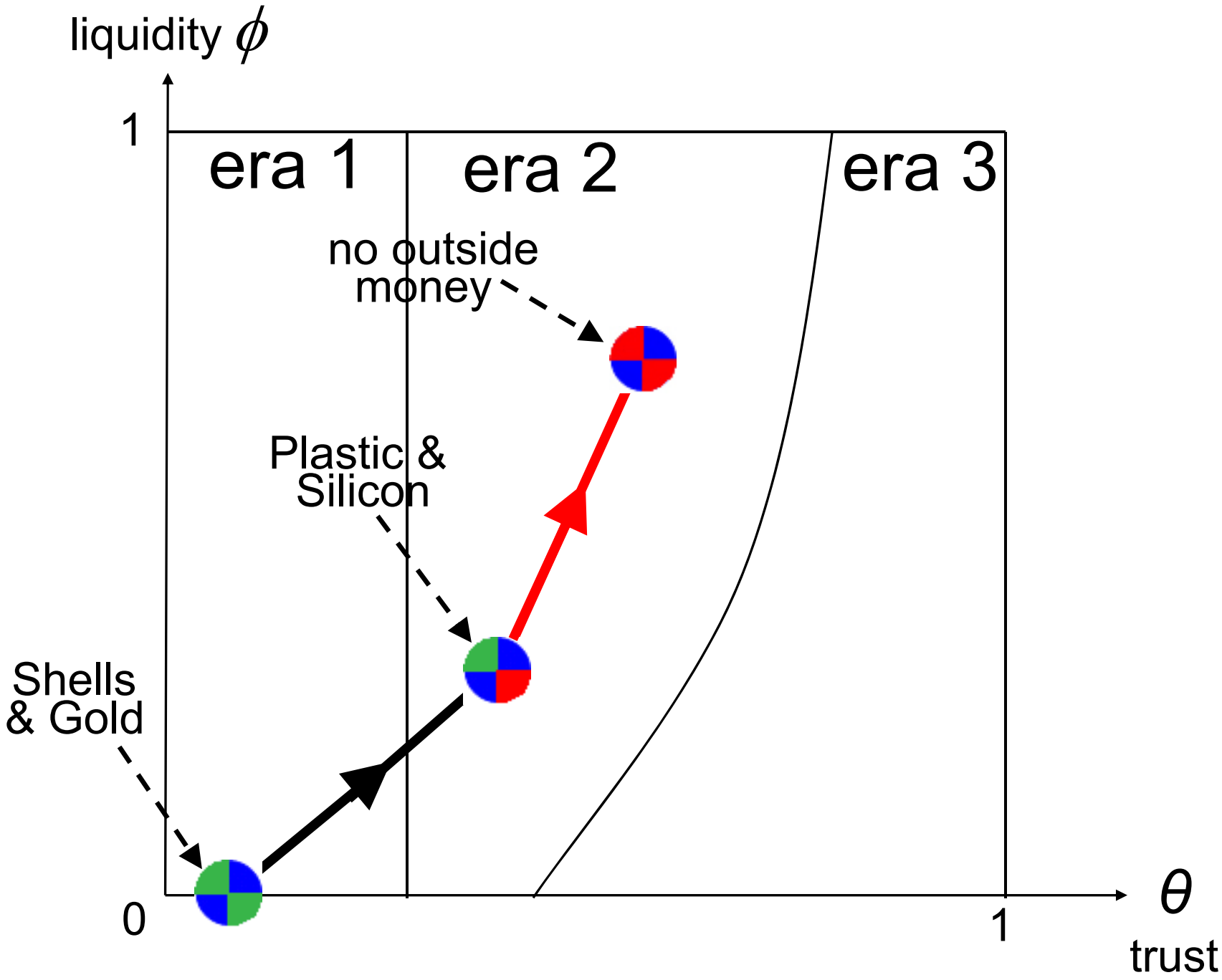
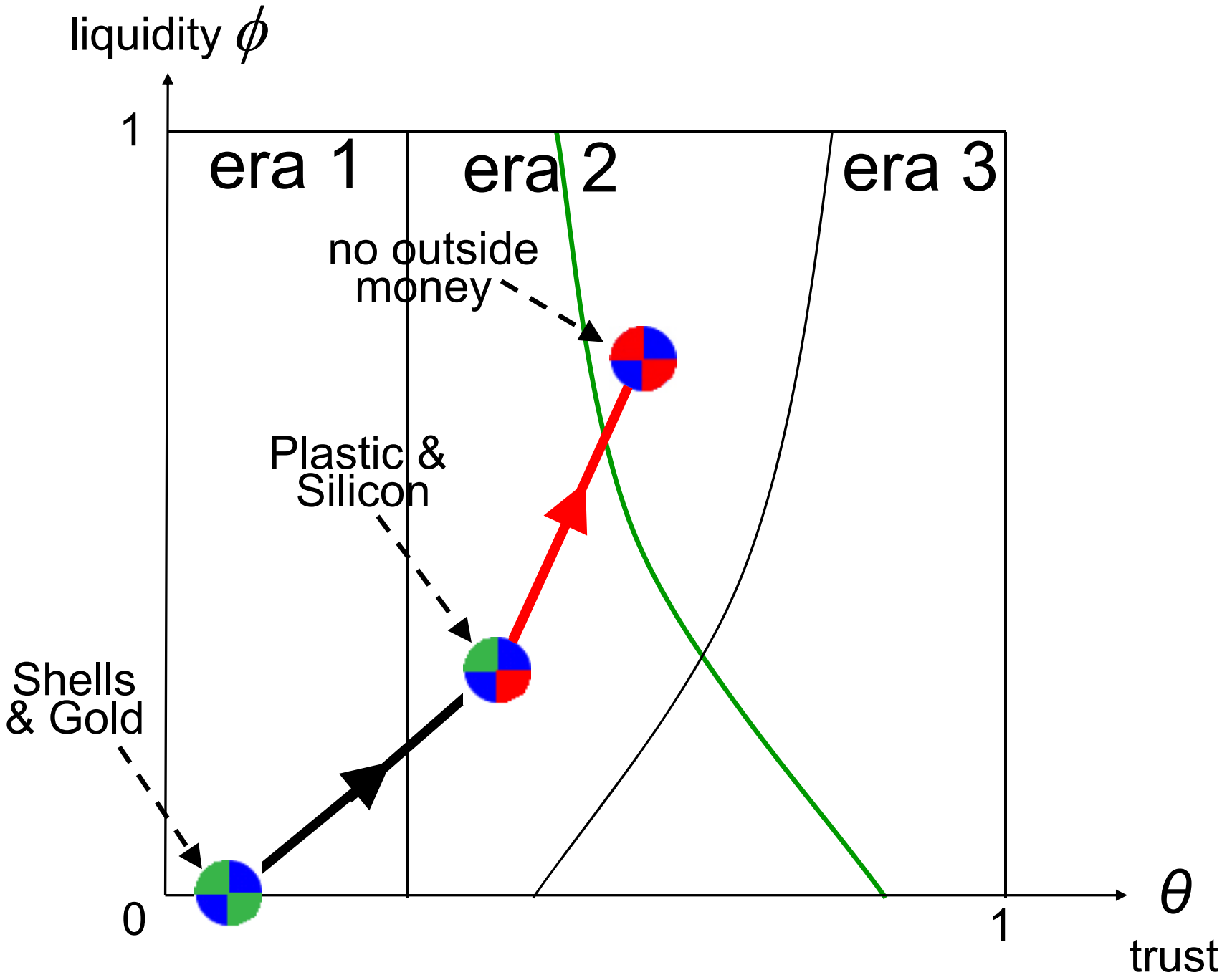
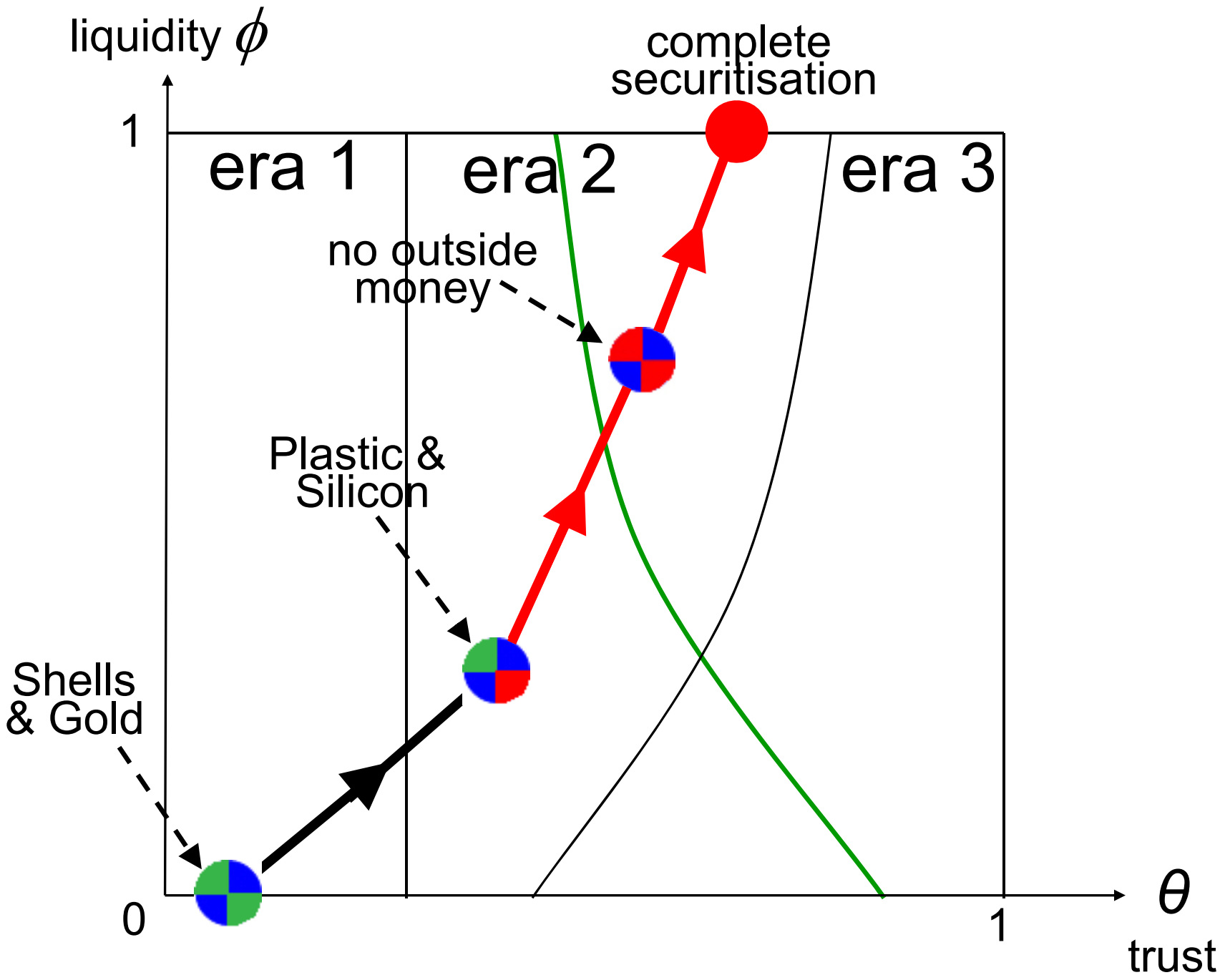
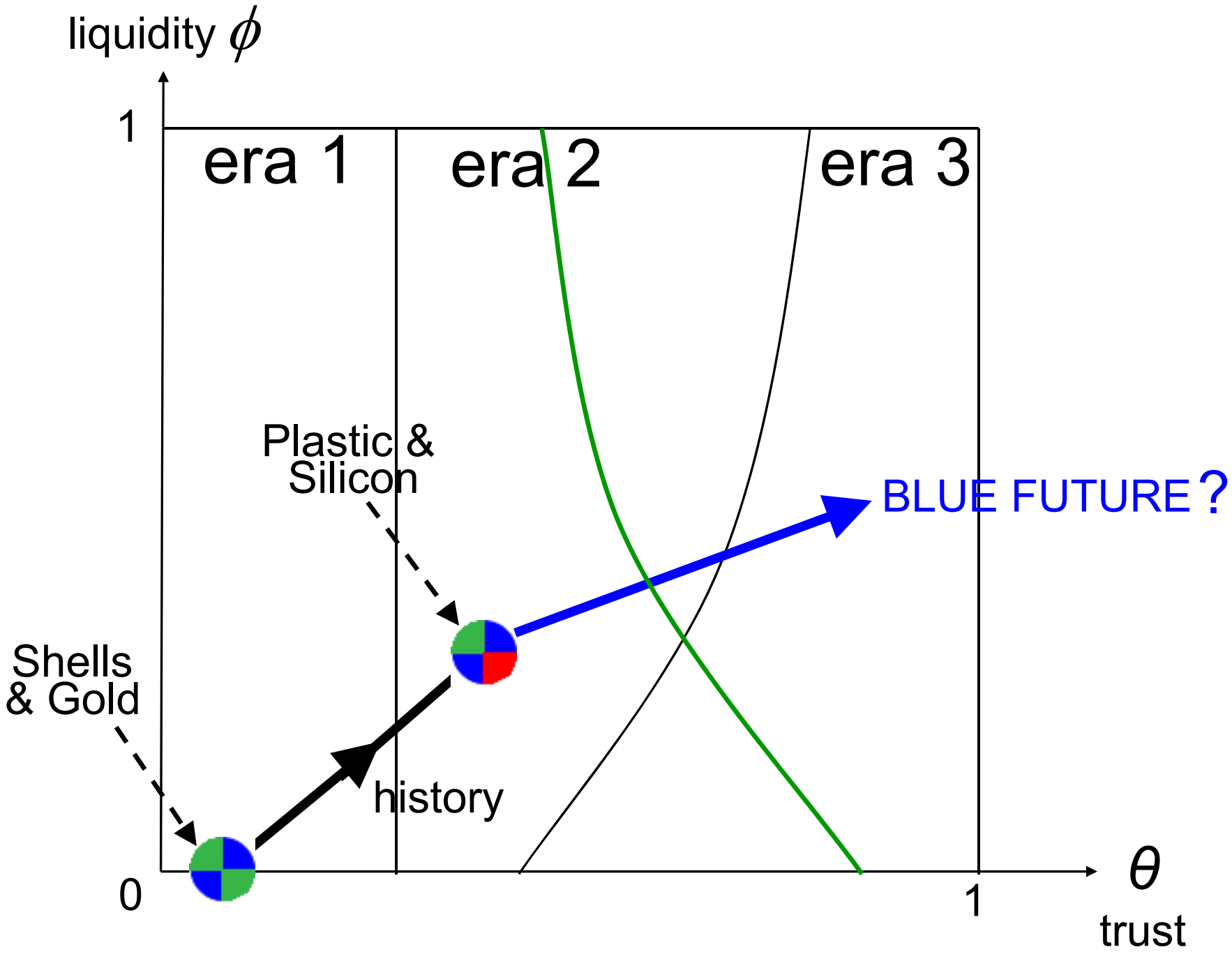
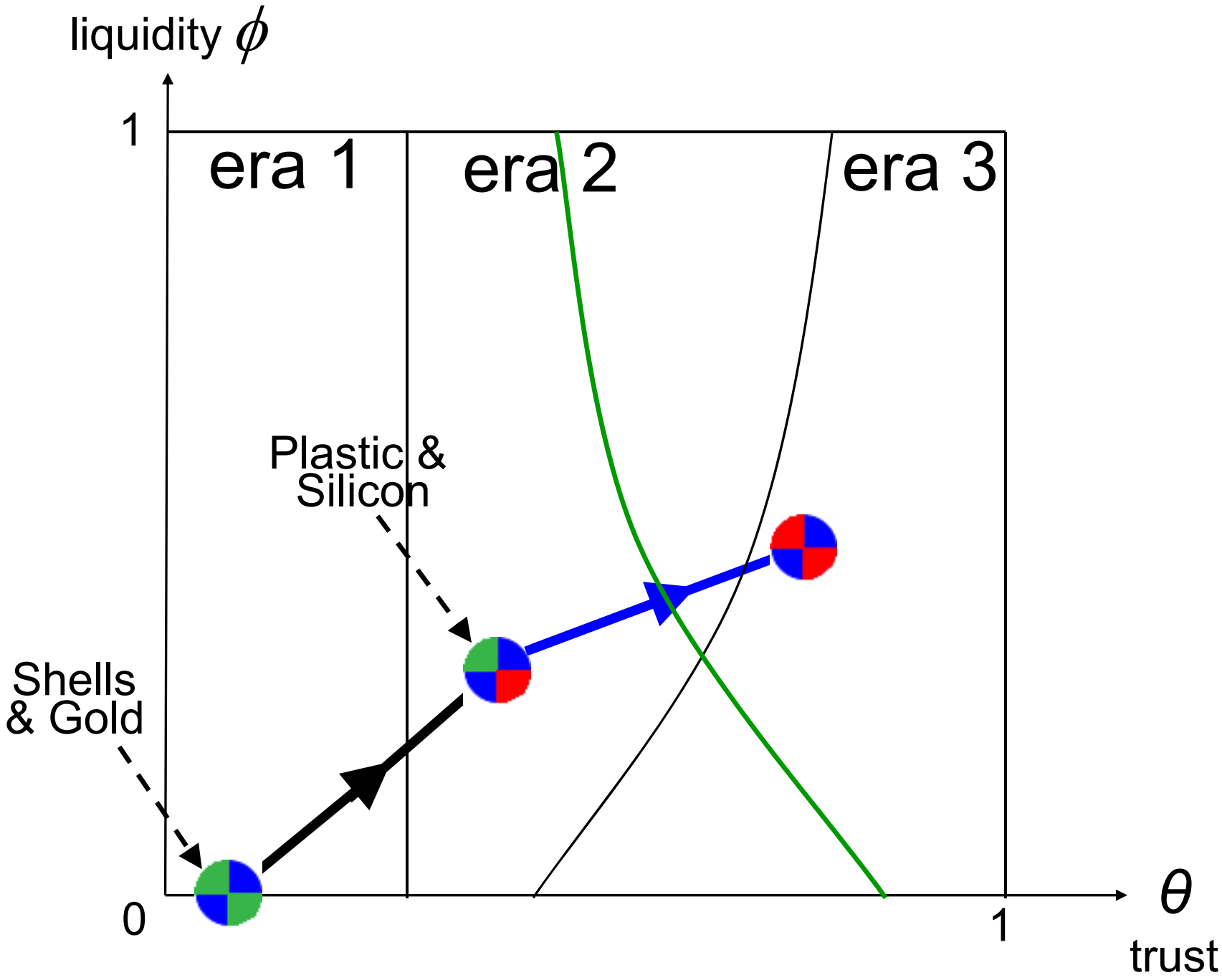
1
θ
trust

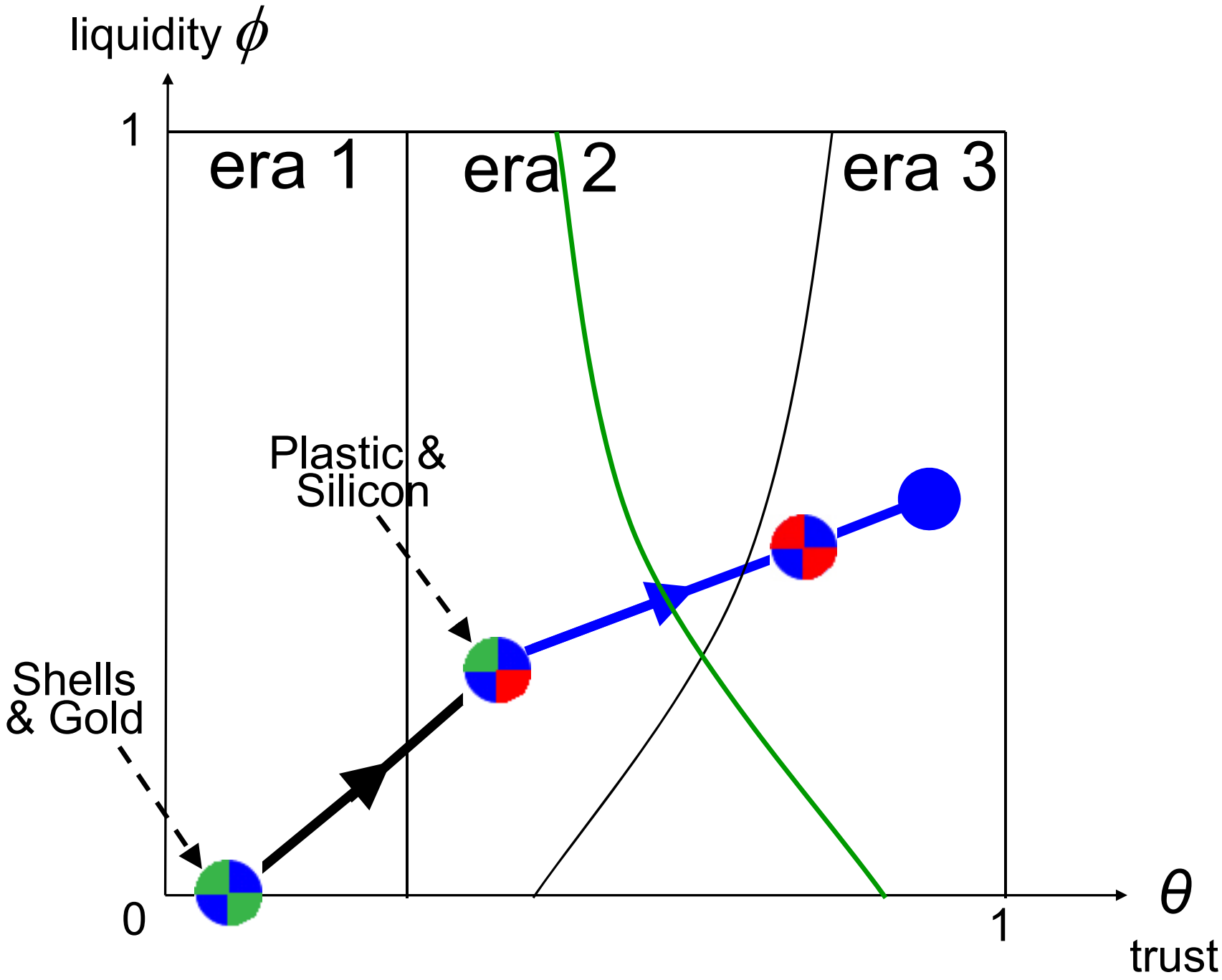

liquidity ϕ
1
era 1
era 2
era 3
no outside money
Plastic & Silicon
Shells & Gold
0
1
θ
trust

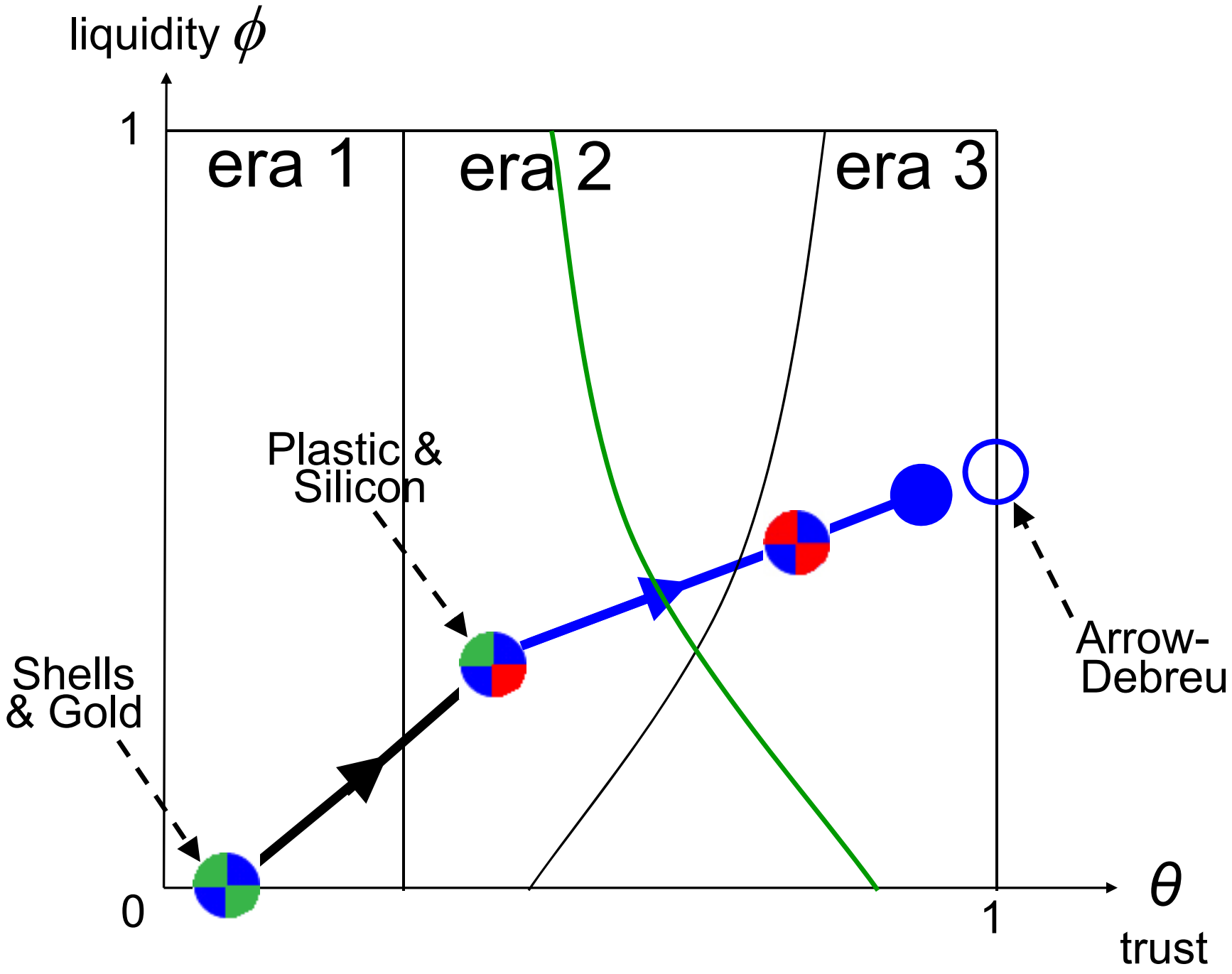

liquidity ϕ
1
era 1
era 2
era 3
no outside money
Plastic & Silicon
Shells & Gold
0
1
θ
trust

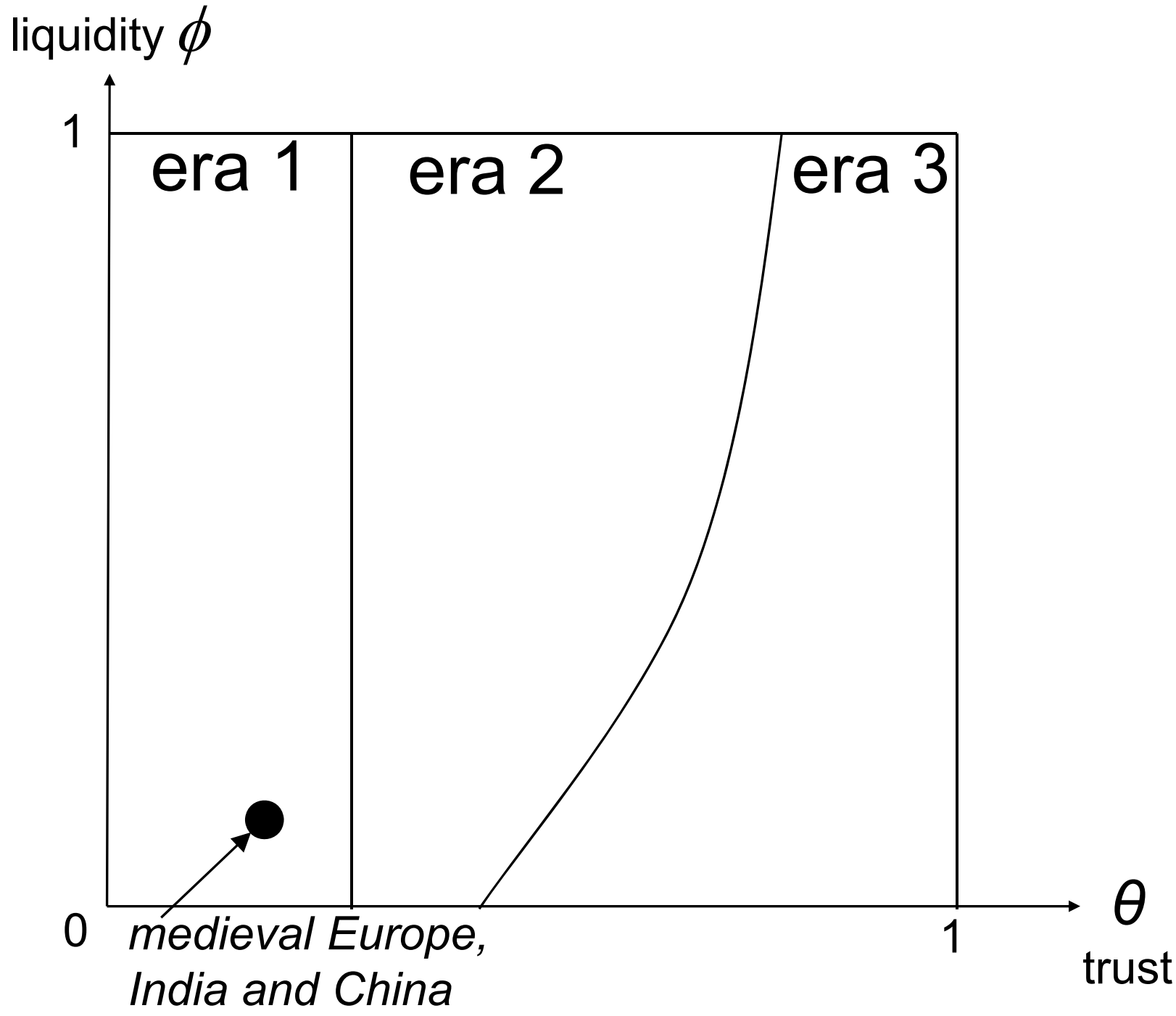

liquidity ϕ
1
0
complete
securitisation
era 1
era 2
era 3
no outside
money
Plastic &
Silicon
Shells
& Gold
1
θ
trust

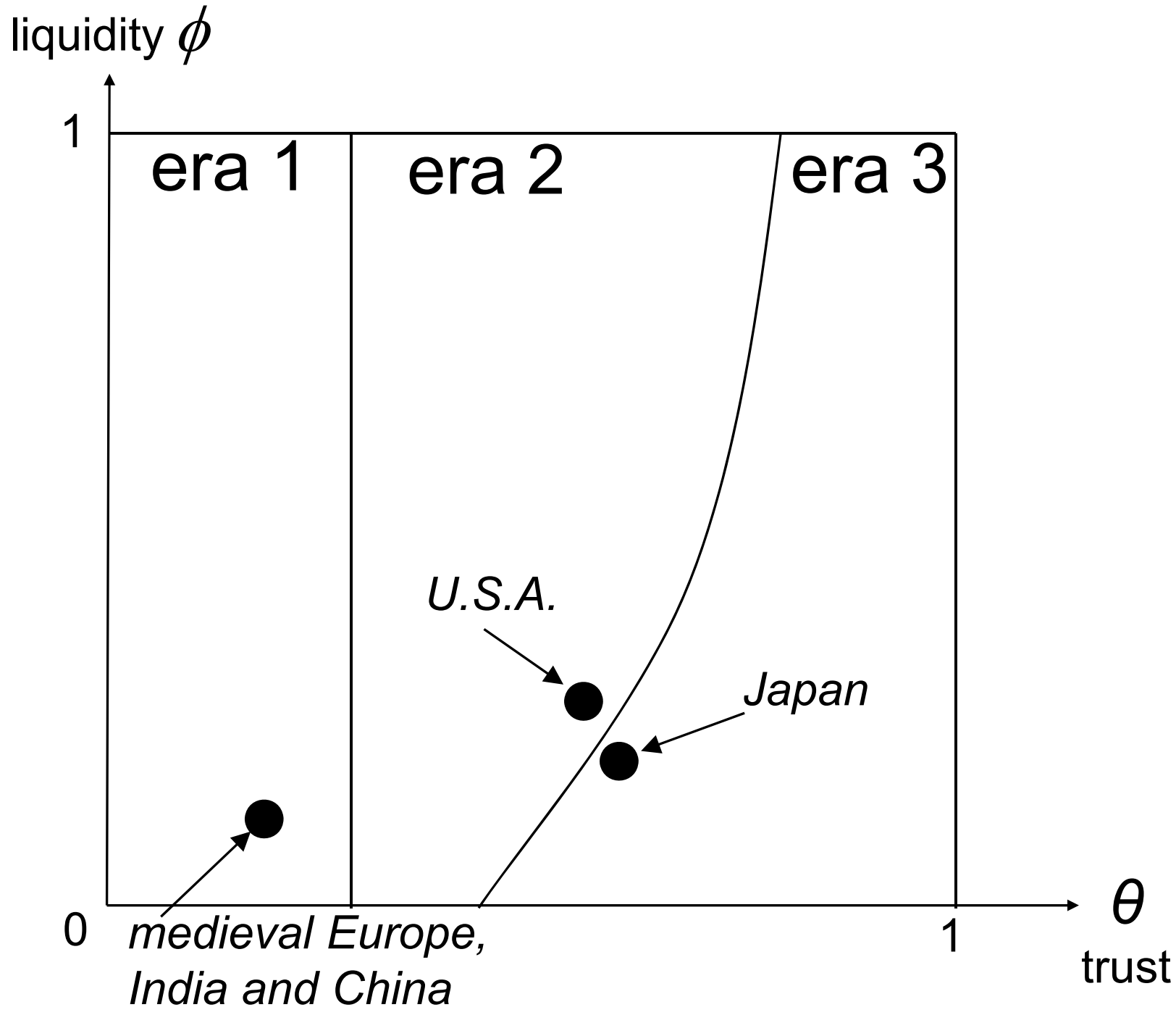

liquidity ϕ
1
era 1
era 2
era 3
Plastic &
Silicon
BLUE FUTURE ?
Shells
& Gold
history
0
1
θ
trust


liquidity ϕ
1
era 1
era 2
era 3
Plastic &
Silicon
Shells
& Gold
0
1
θ
trust


liquidity ϕ
1
era 1
era 2
era 3
Plastic &
Silicon
Shells
& Gold
0
1
θ
trust


liquidity ϕ
1
era 1
era 2
era 3
Plastic &
Silicon
Shells
& Gold
Arrow-
Debreu
0
1
θ
trust


liquidity ϕ
1
era 1
era 2
era 3
0
medieval Europe, India and China
1
θ
trust


liquidity ϕ
1
era 1
era 2
era 3
U.S.A.
Japan
0
medieval Europe,
India and China
1
θ
trust

THE MODEL

THE MODEL

discrete time t = 1, 2, 3, …

one homogenous good, corn, storable
(one for one)

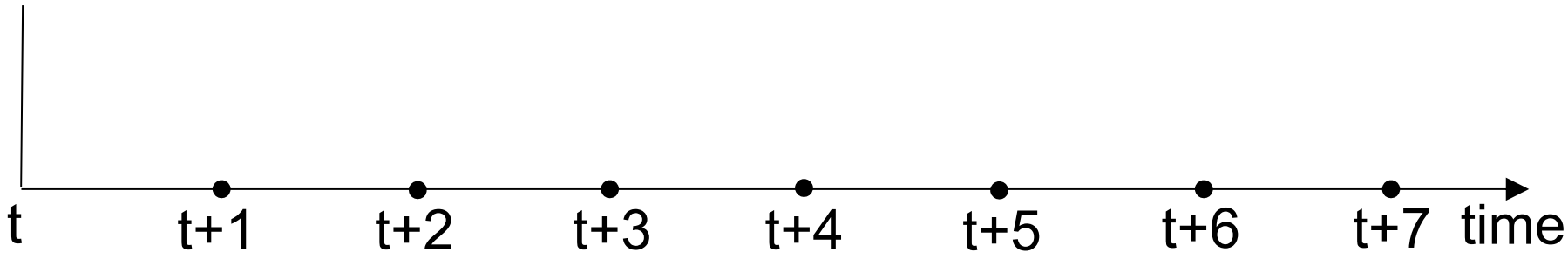
no uncertainty

infinitely lived agents choose consumption path $\{c_t, c_{t+1}, c_{t+2}, \ldots\}$ to maximise

$$\sum_{s=0}^{\infty} \beta^s \log c_{t+s} \qquad 0<\beta<1$$

each agent undertakes a sequence of projects

every 3 days, an agent starts a project that completes 2 days later:



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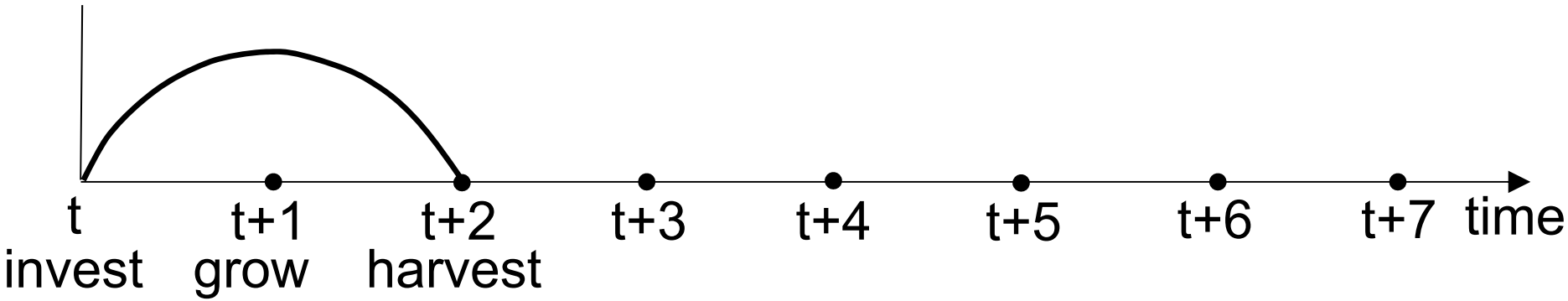

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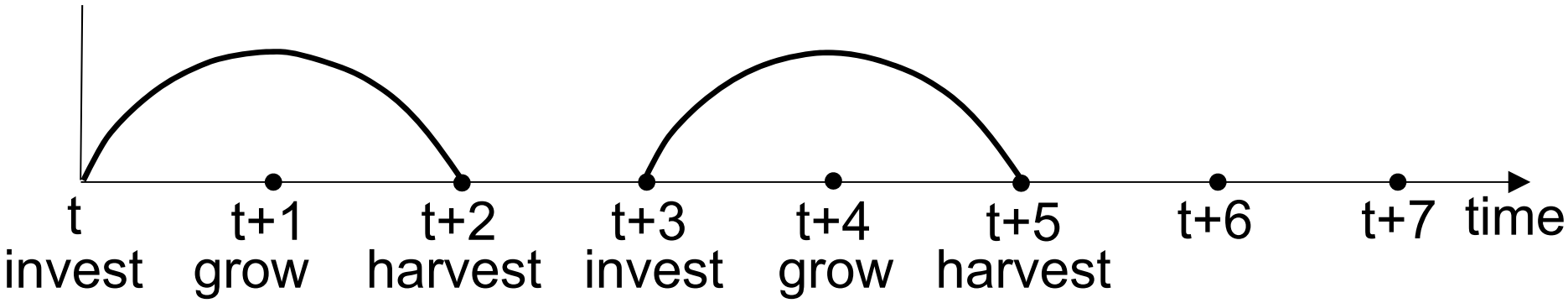

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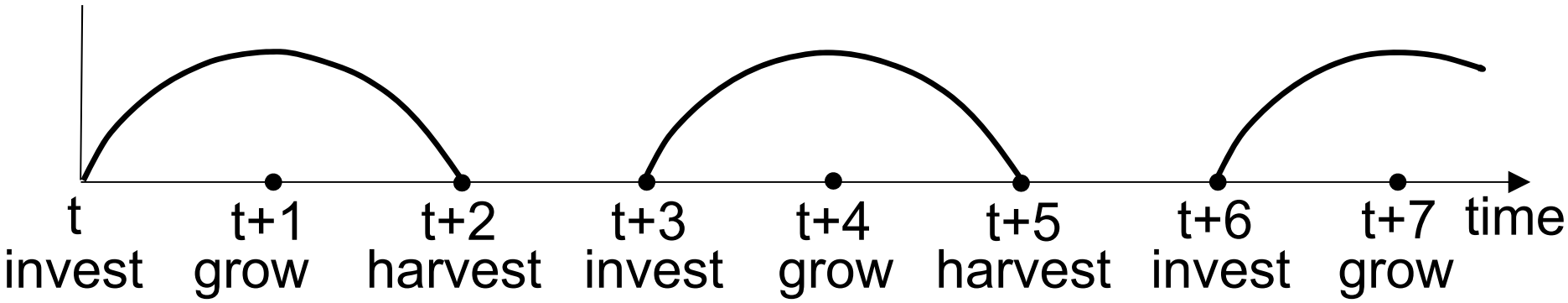

to produce y corn on day t+2 requires input G(y) corn on day t:

where $G(y) \propto y^{1/(1-\lambda)}$ $0<\lambda<1$

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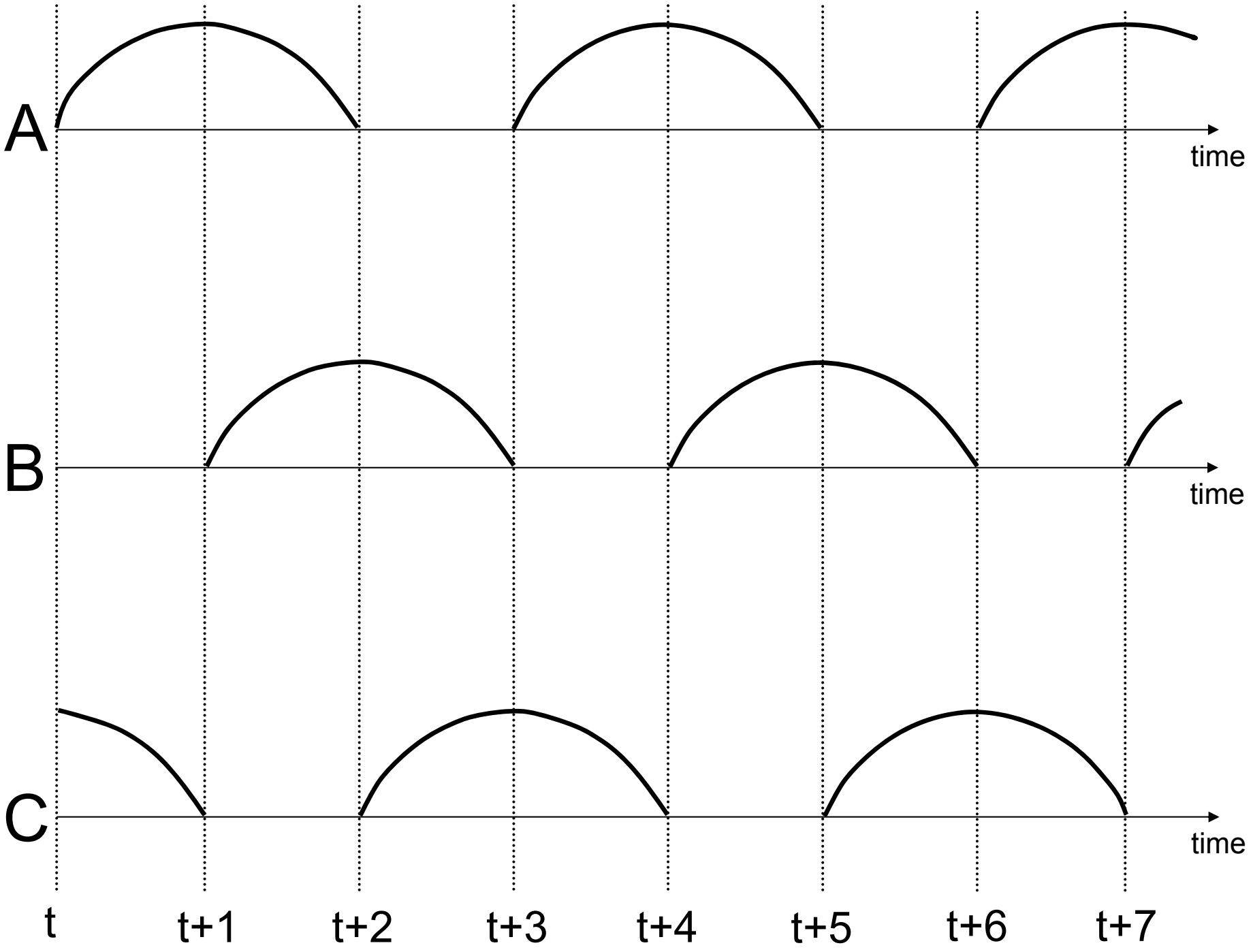
in a symmetric allocation, population is equally divided into 3 groups:

(normalise aggregate population = 3)


A
time
B
time
C
time
t
t+1
t+2
t+3
t+4
t+5
t+6
t+7

first-best (Arrow-Debreu):

efficient production: $G'(y^*) = \beta^2$

smooth consumption: $c_t \equiv \frac{1}{3}[y^* - G(y^*)]$

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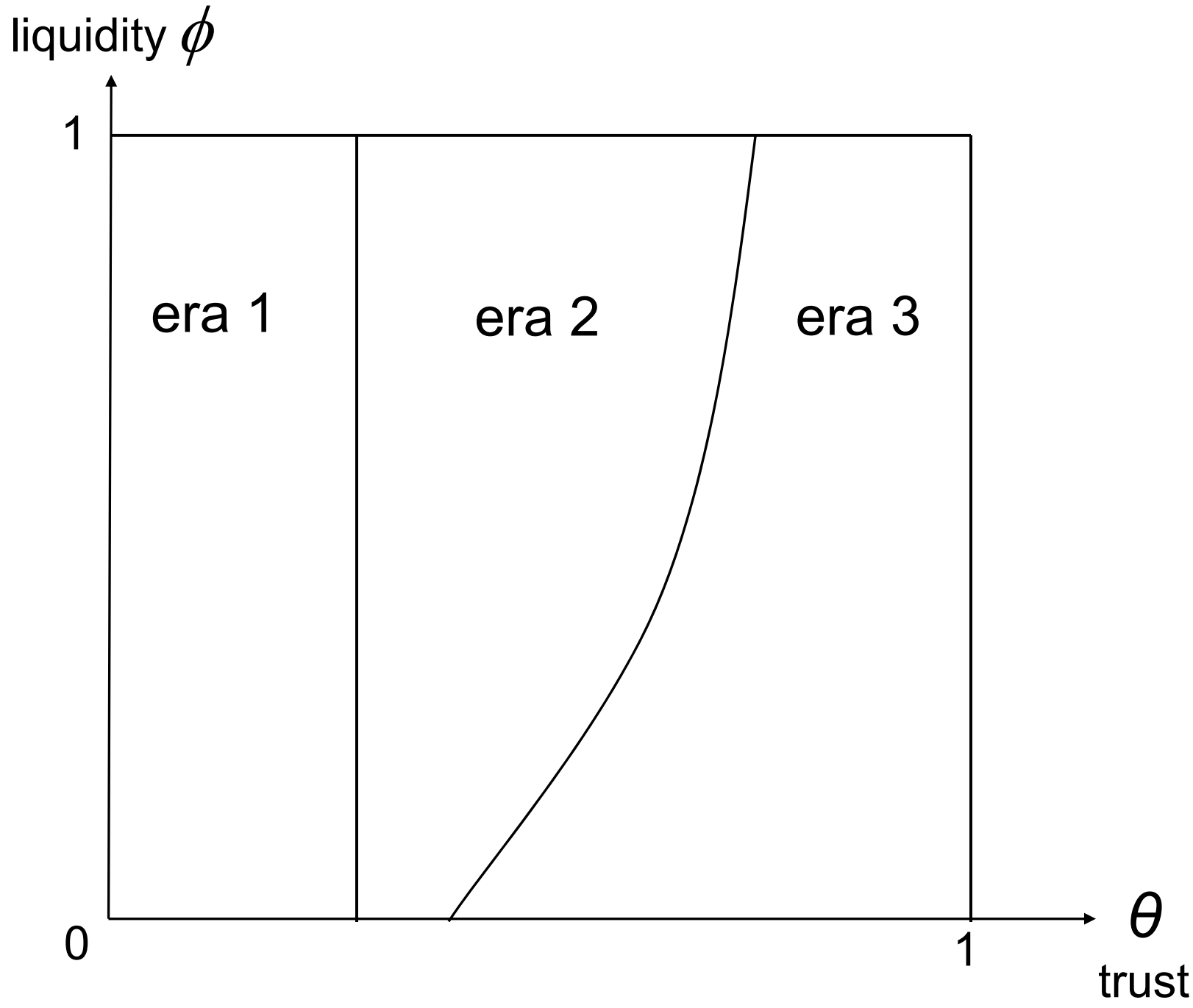
smooth consumption: $c_t \equiv \frac{1}{3}[y^* - G(y^*)]$

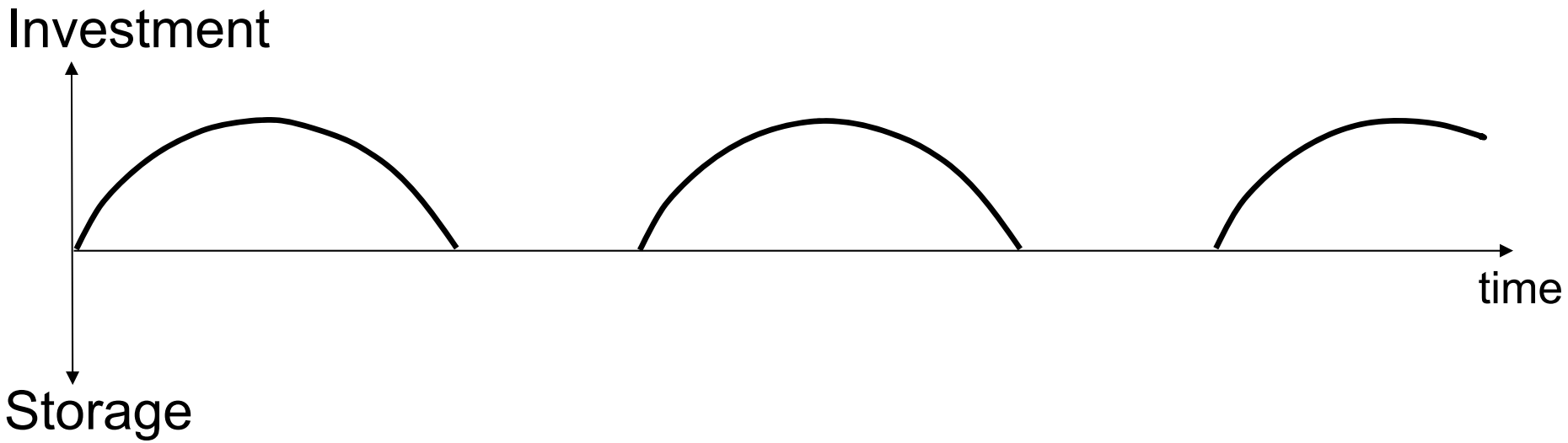
BUT, unlike in Arrow-Debreu, we assume

$$\theta < 1$$

at start of a project, investing agent can credibly promise at most θy of harvest y


liquidity ϕ
1
era 1
era 2
era 3
0
1
θ
trust

extreme case: θ = 0 (autarky; Robinson Crusoe)



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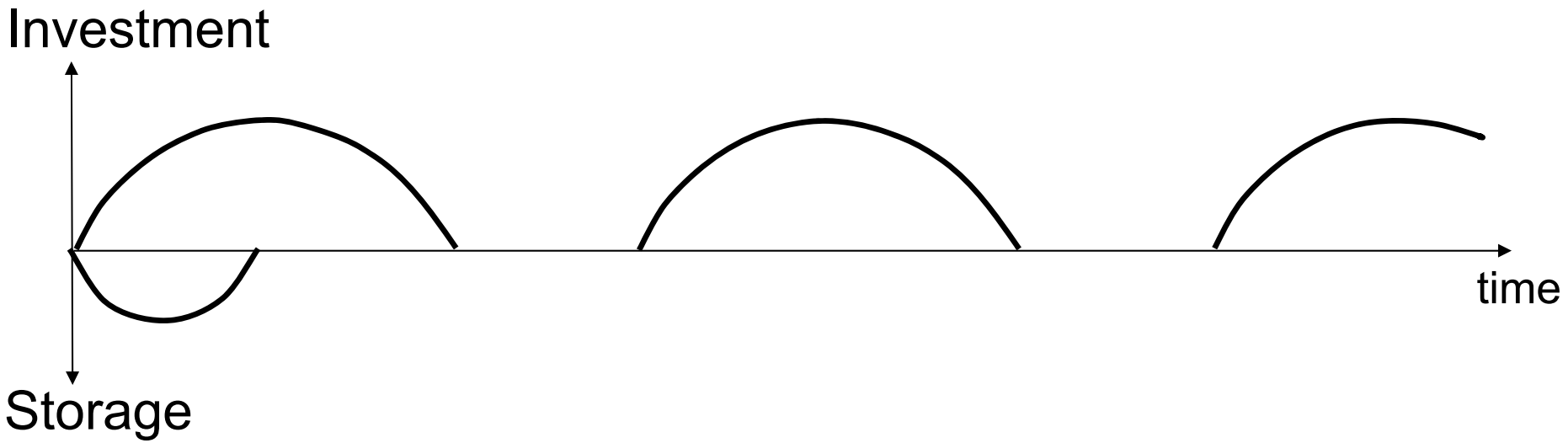

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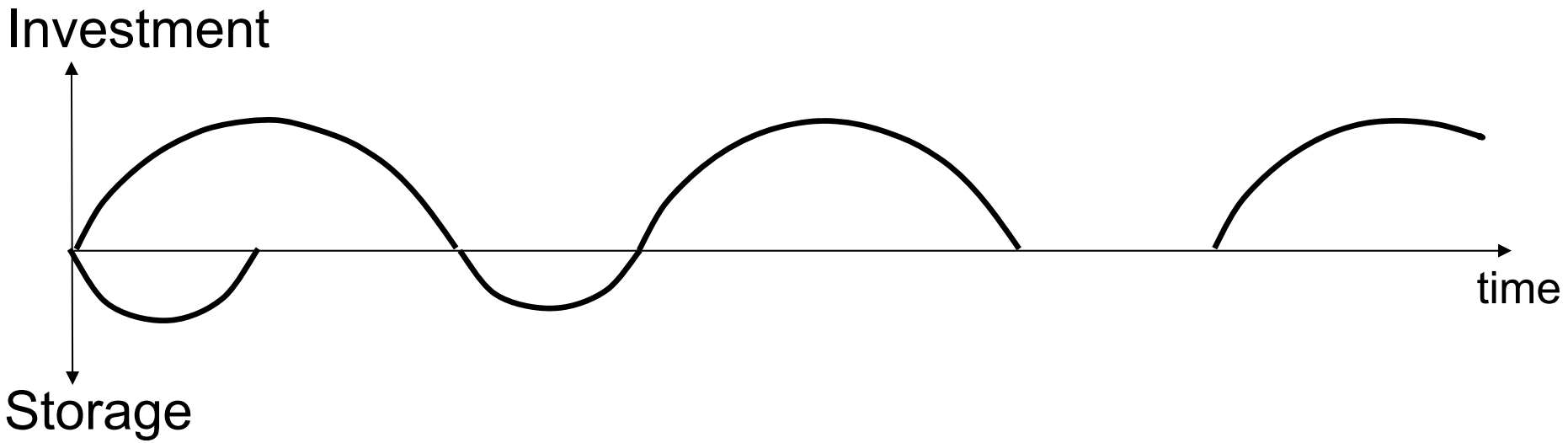

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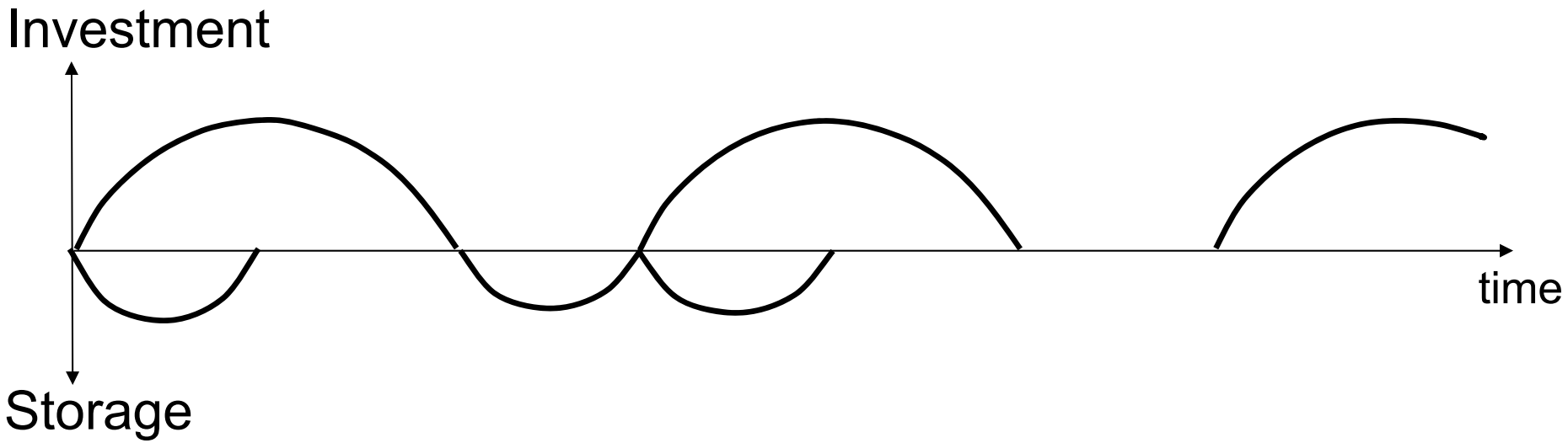

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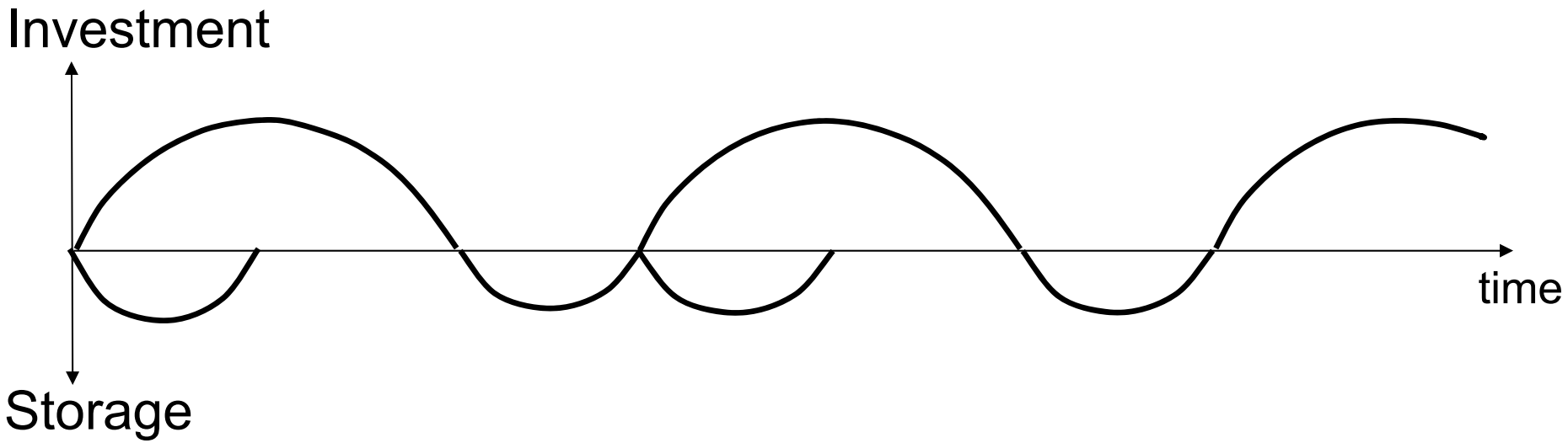

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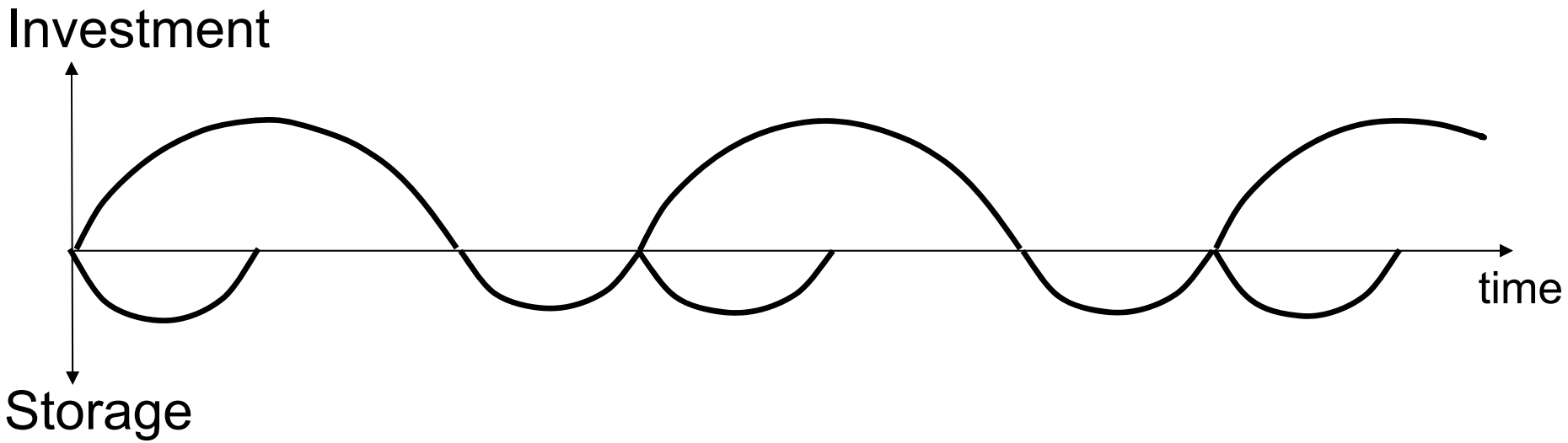

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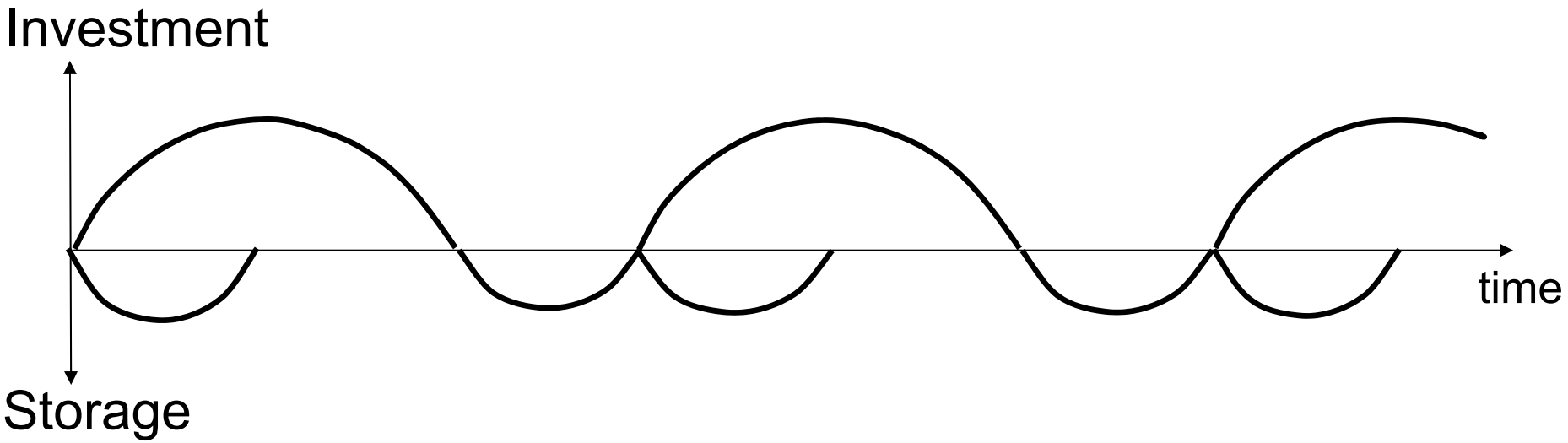
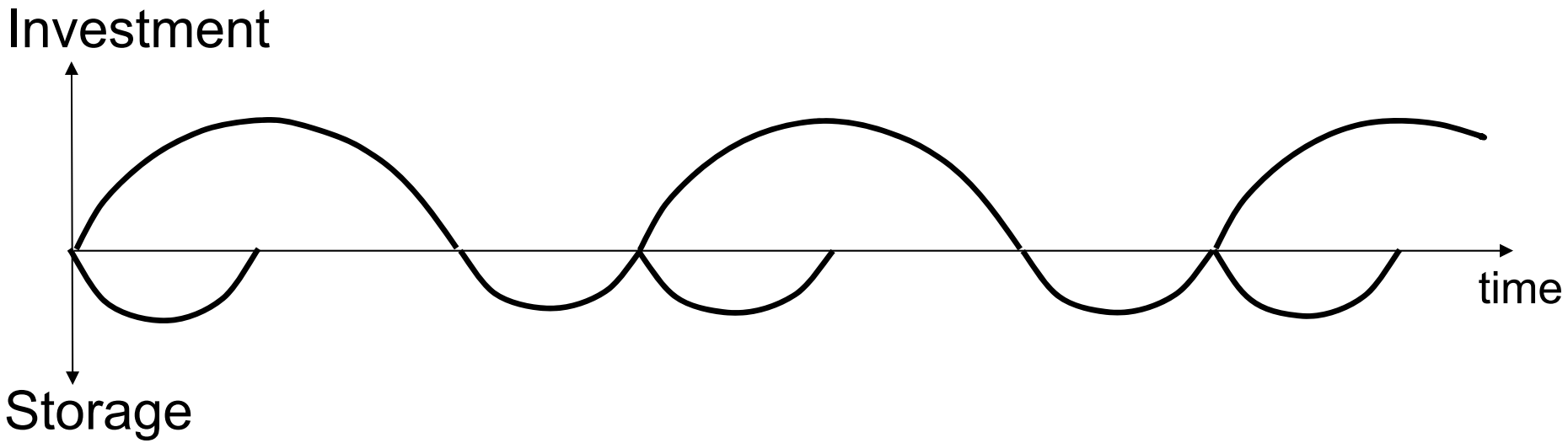


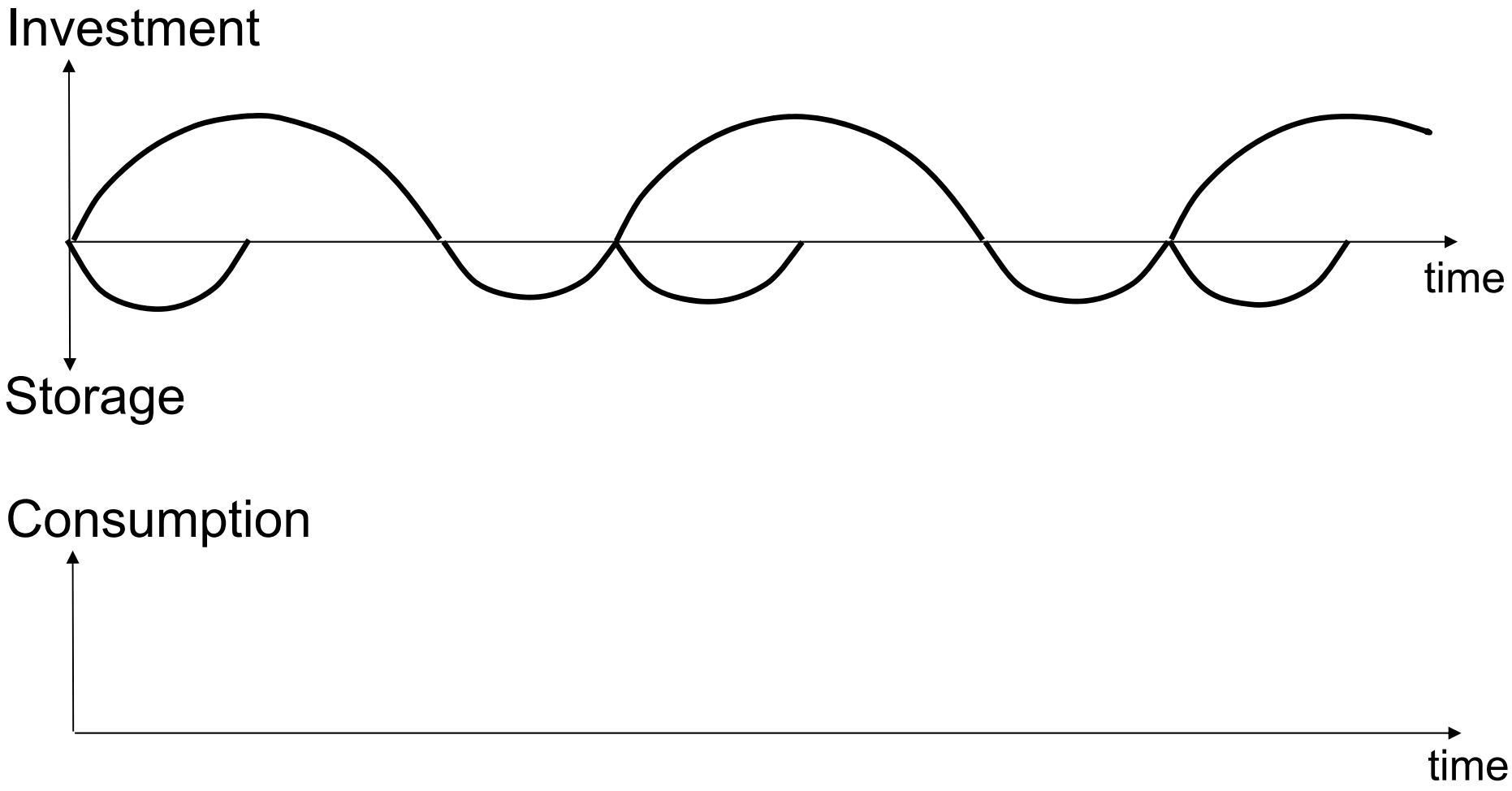
$G'(y) = \beta^3$ => y below y*
under-investment

extreme case: $\theta = 0$ (autarky; Robinson Crusoe)



not only is there under-investment,
but there is also jagged consumption:

extreme case: θ = 0 (autarky; Robinson Crusoe)



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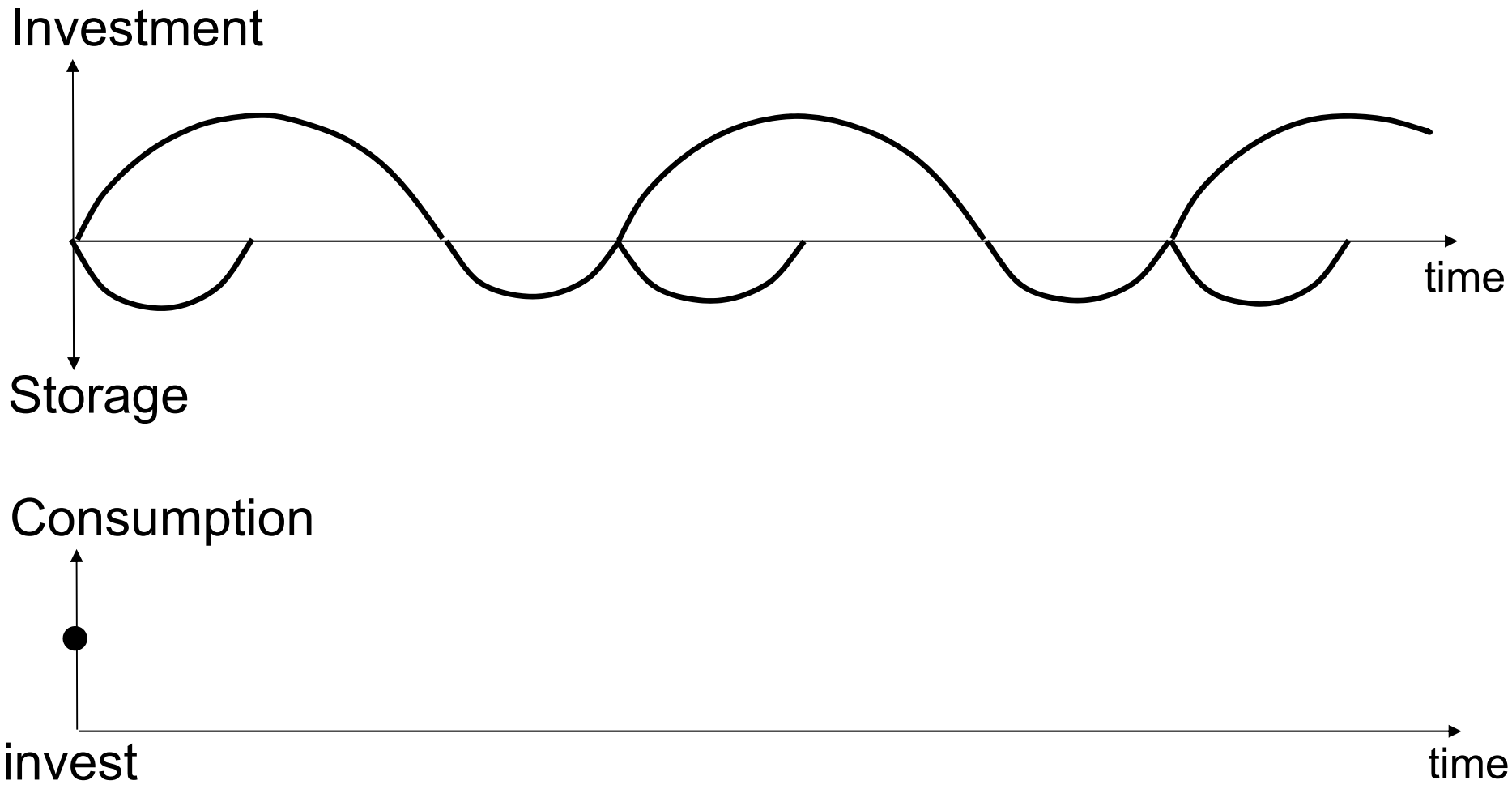

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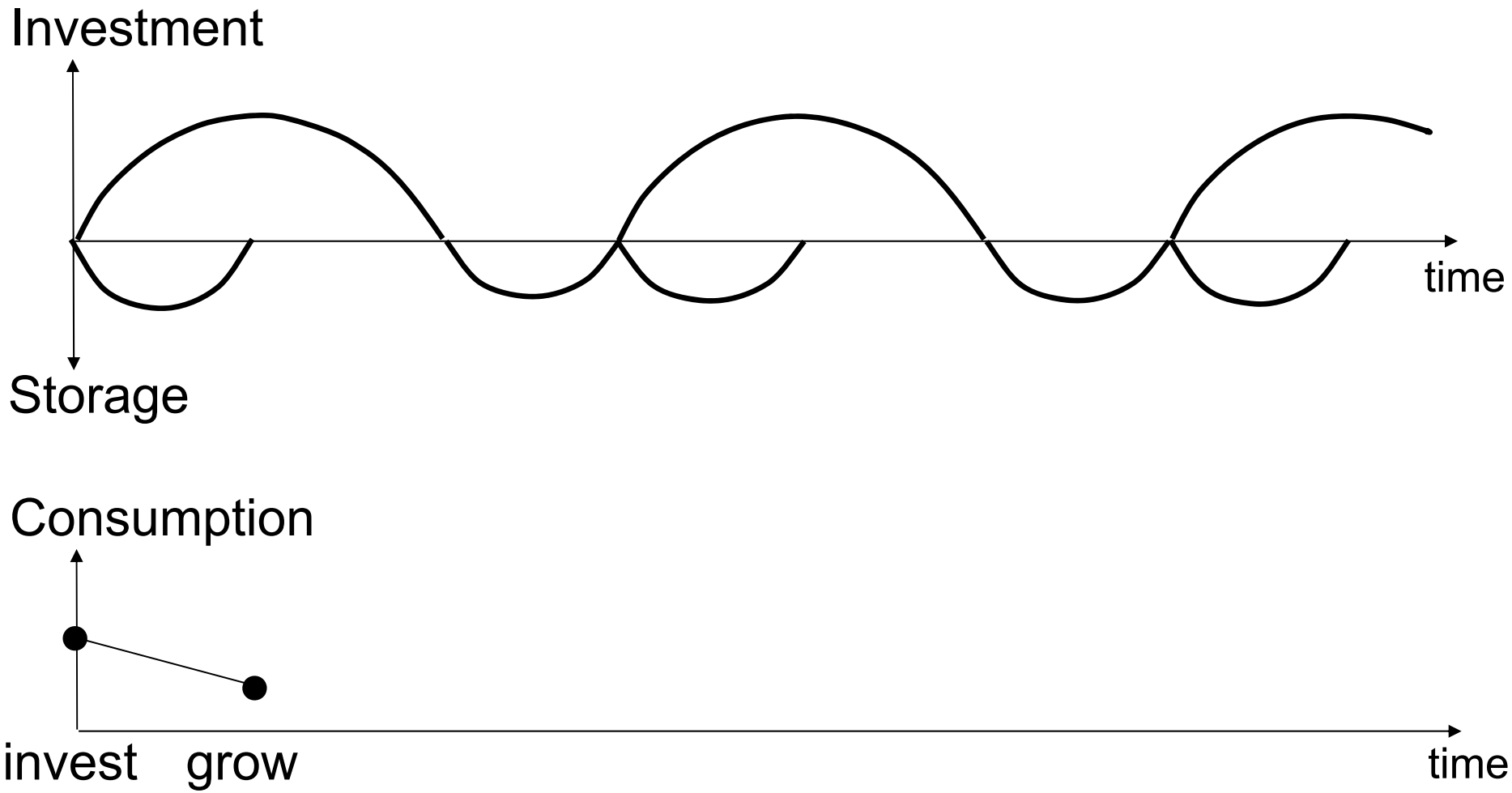

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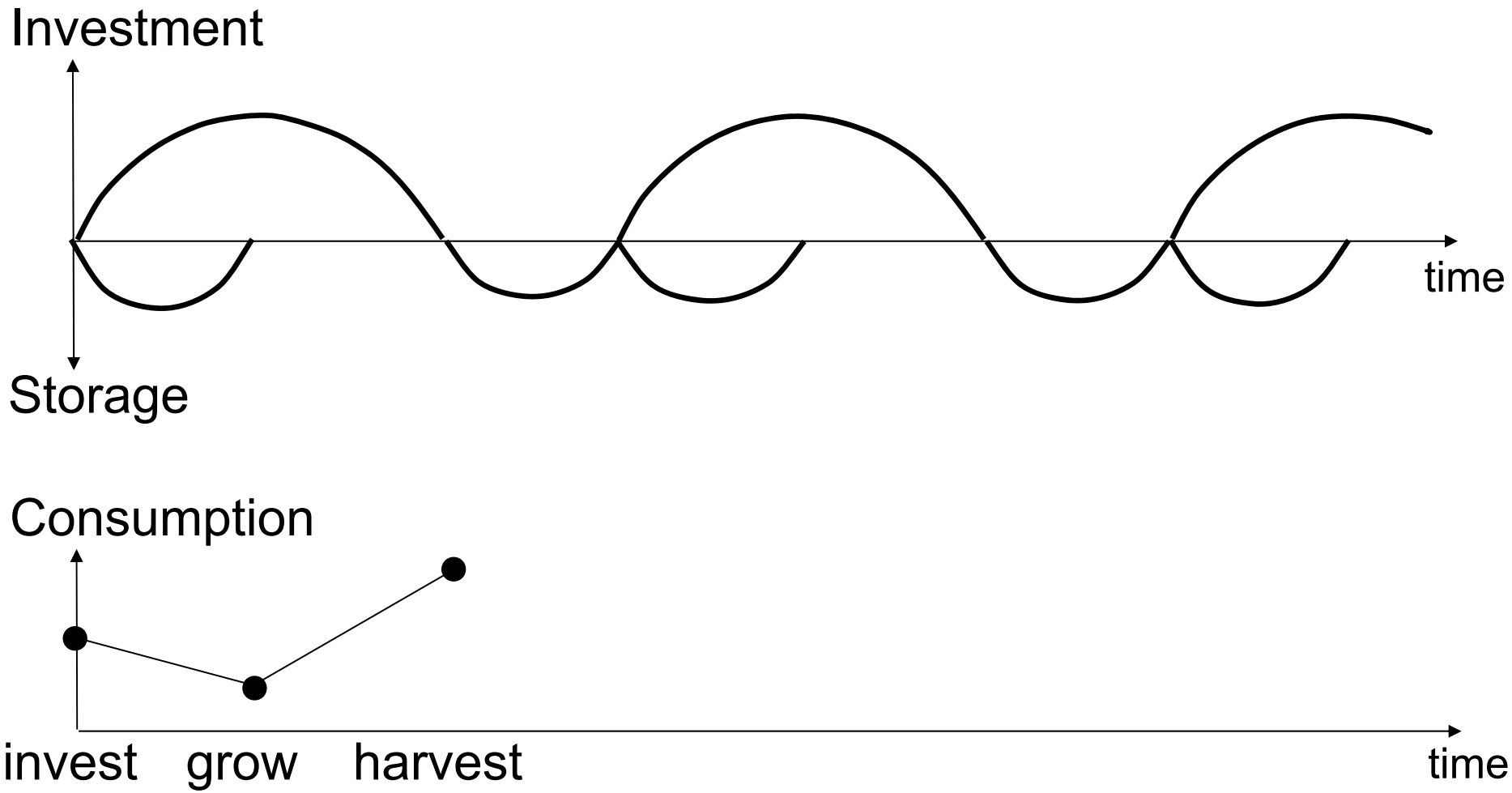

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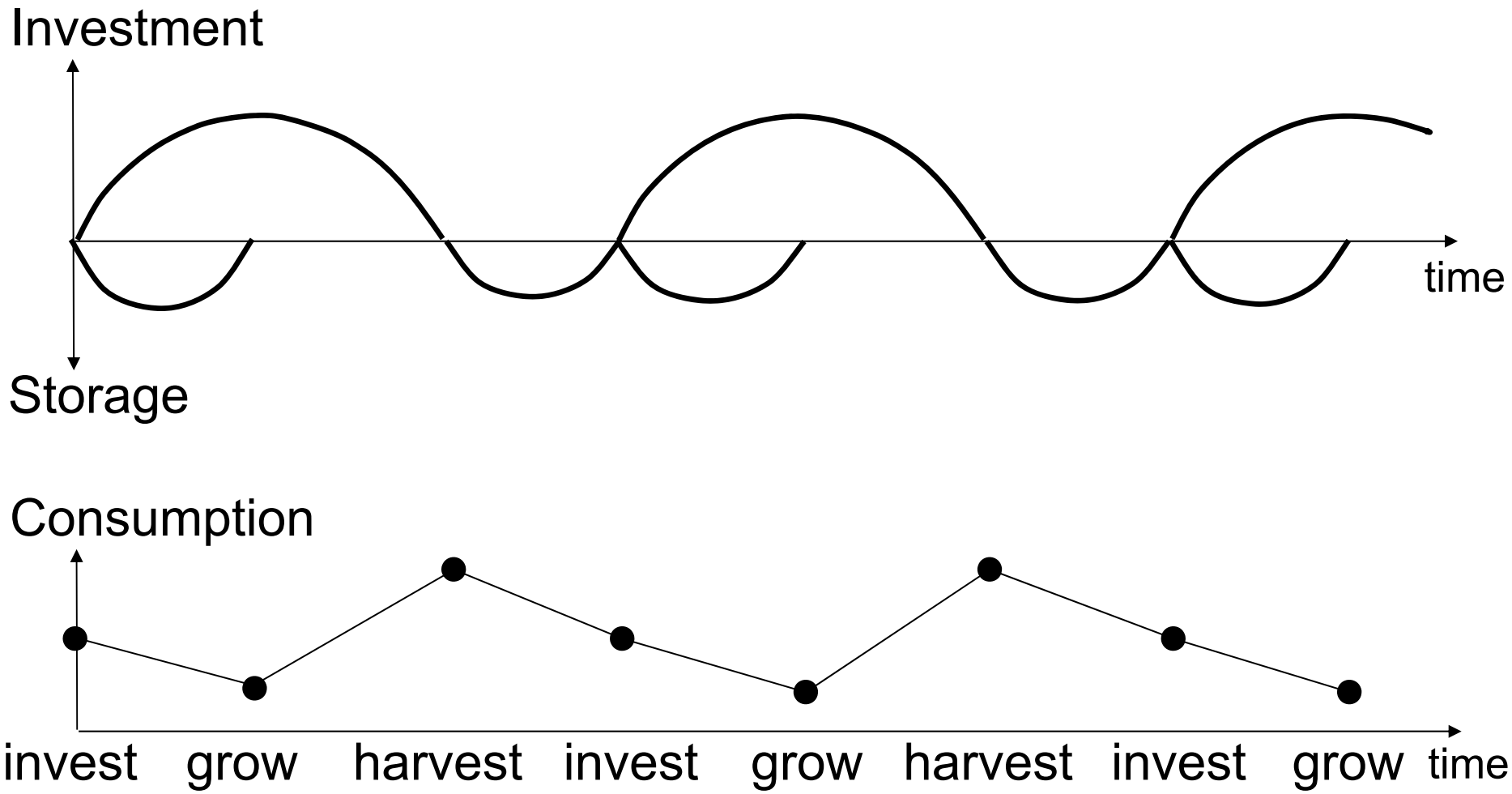
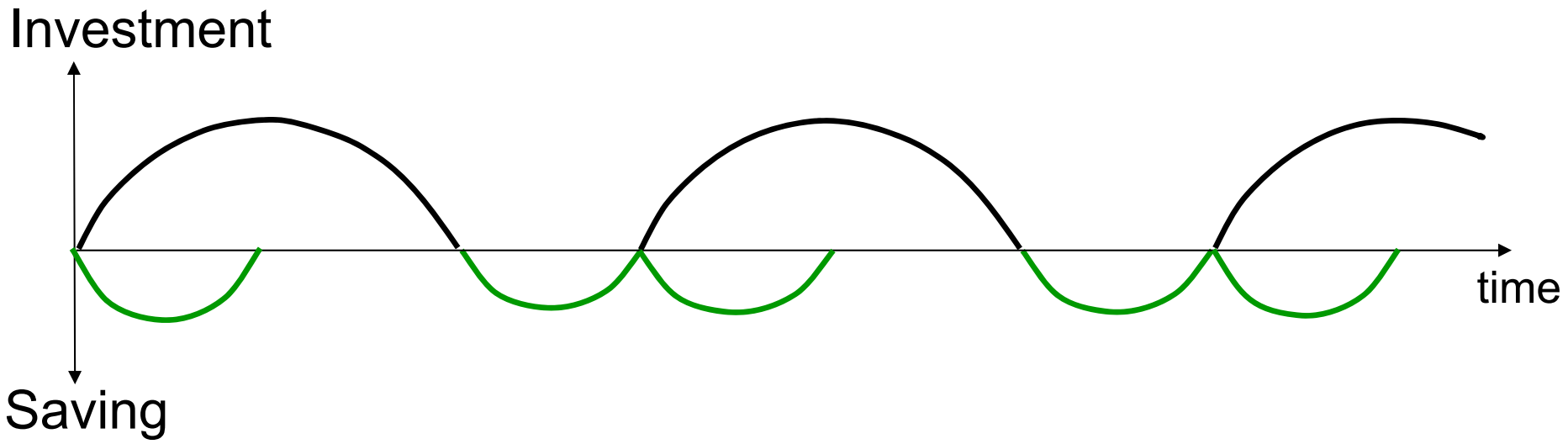


extreme case: $\theta = 0$ (autarky; Robinson Crusoe)



introduce outside money (green paper): same steady-state allocations as in autarky except that no corn need be tied up in storage (Samuelson, 1958)

less extreme: $\theta > 0$

i.e. investing agent *can* issue private paper

but adverse selection causes the
secondary market to break down …

assume project comprises a large number of parts, some of which are lemons

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no-one can distinguish lemons on day of investment, day t

insiders privately learn which parts are lemons by day t+1

outsiders remain uninformed until day t+2

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no-one can distinguish lemons on day of investment, day t

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but there is a remedy …

at start of project (day t), investing agent can bundle parts together so that lemons cannot be separated out later (day t+1)

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bundling ≡ financial intermediation/banking

converts illiquid paper (blue paper) that *cannot* be resold at t+1

into liquid paper (red paper) that *can* be resold at t+1

cost of bundling a portion z ($\leq$ y) of output:

$$\frac{1-\phi}{\phi}\, G(z) \qquad\qquad 0<\phi<1$$

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costs are deadweight (no extra output)

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$$\frac{1-\phi}{\phi}\, G(z) \qquad 0<\phi<1$$

costs are deadweight (no extra output)

($\Rightarrow$ in first-best, there is

no bundling, no banking
no inside money, no red paper)

q = issue price of blue paper

(price in terms of day t corn of a credible claim to day t+2 corn, that *cannot* be resold on day t+1)

p^2 = issue price of red paper

(price in terms of day t corn of a credible claim to day t+2 corn, that *can* be resold on day t+1, at price p)

basic inequalities:

$$1 \geq p^2 \geq q \geq \beta^2$$

result!

if $p < 1$ then green paper not used

in terms of overnight net returns:

return on green	$\leq$	return on red	$\leq$	return on blue	$\leq$	subjective return
(zero)		$(\frac{1}{p} - 1)$	$\uparrow$	$(\frac{1}{\sqrt{q}} - 1)$		$(\frac{1}{\beta} - 1)$

liquidity premium

in terms of overnight net returns:

return on green	$\leq$	return on red	$\leq$	return on blue	$\leq$	subjective return
(zero)		$(\frac{1}{p} - 1)$		$(\frac{1}{\sqrt{q}} - 1)$		$(\frac{1}{\beta} - 1)$

liquidity premium

$$\frac{1}{\sqrt{q}} - \frac{1}{p} = \text{Keynesian interest rate r}$$

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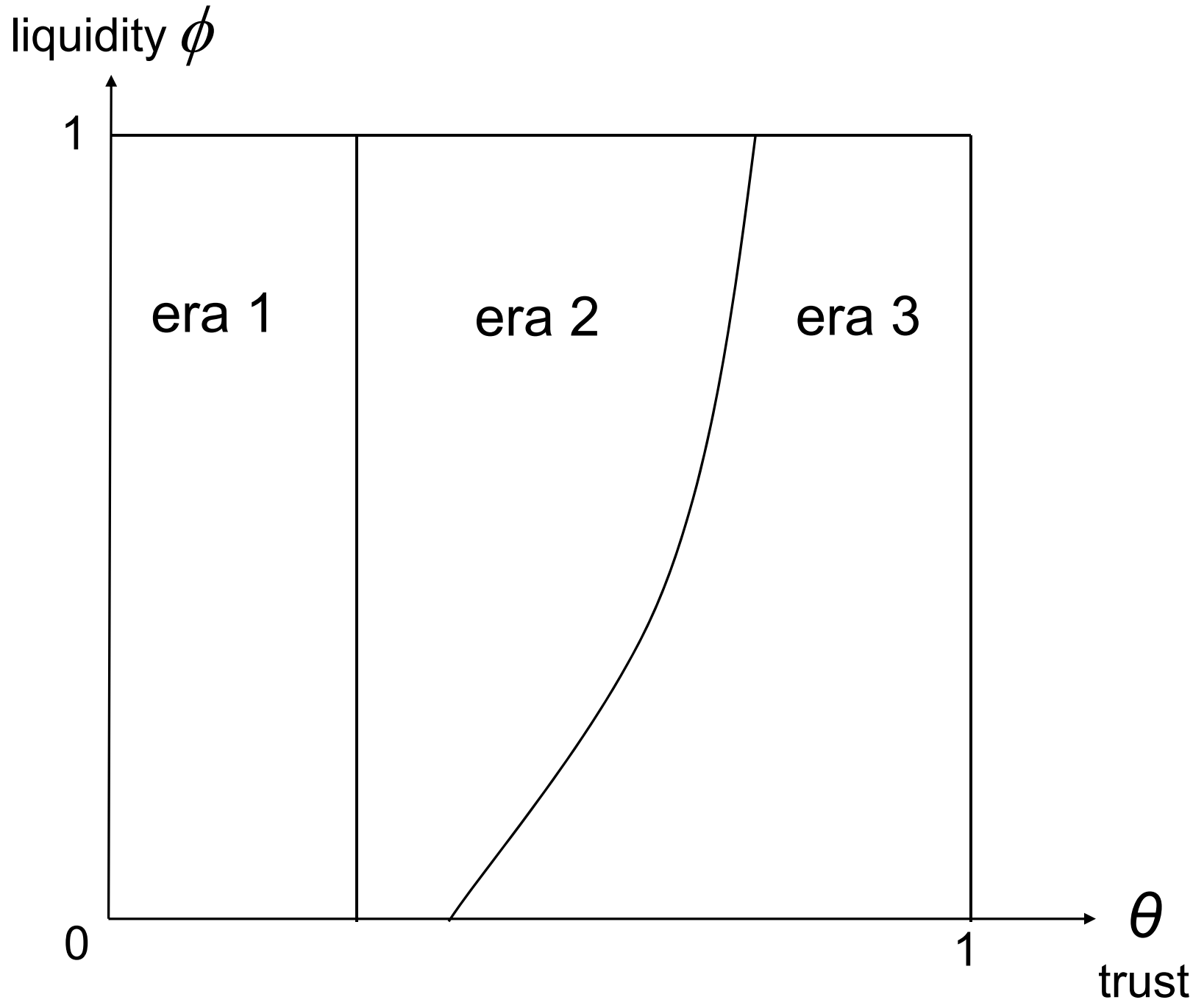
liquidity premium

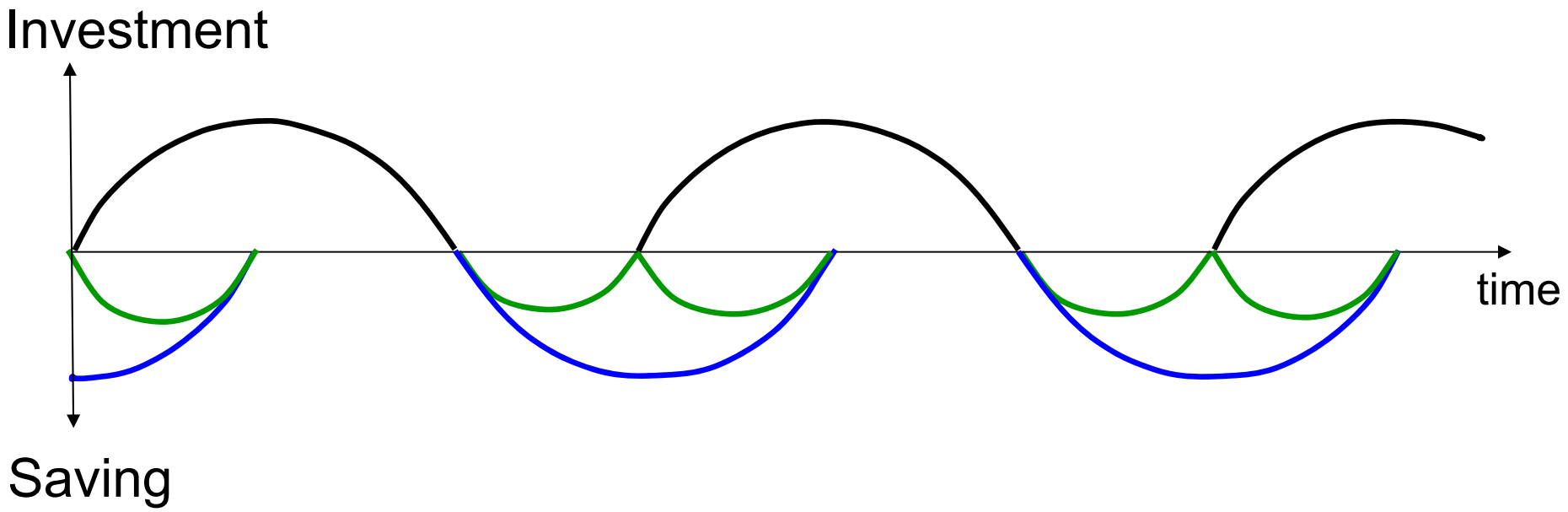
$$\frac{1}{\sqrt{q}} - \frac{1}{p} = \text{Keynesian interest rate r}$$

when green paper used (p=1), $r = \frac{1}{\sqrt{q}} - 1$


liquidity ϕ
1
era 1
era 2
era 3
0
1
θ
trust

era 1

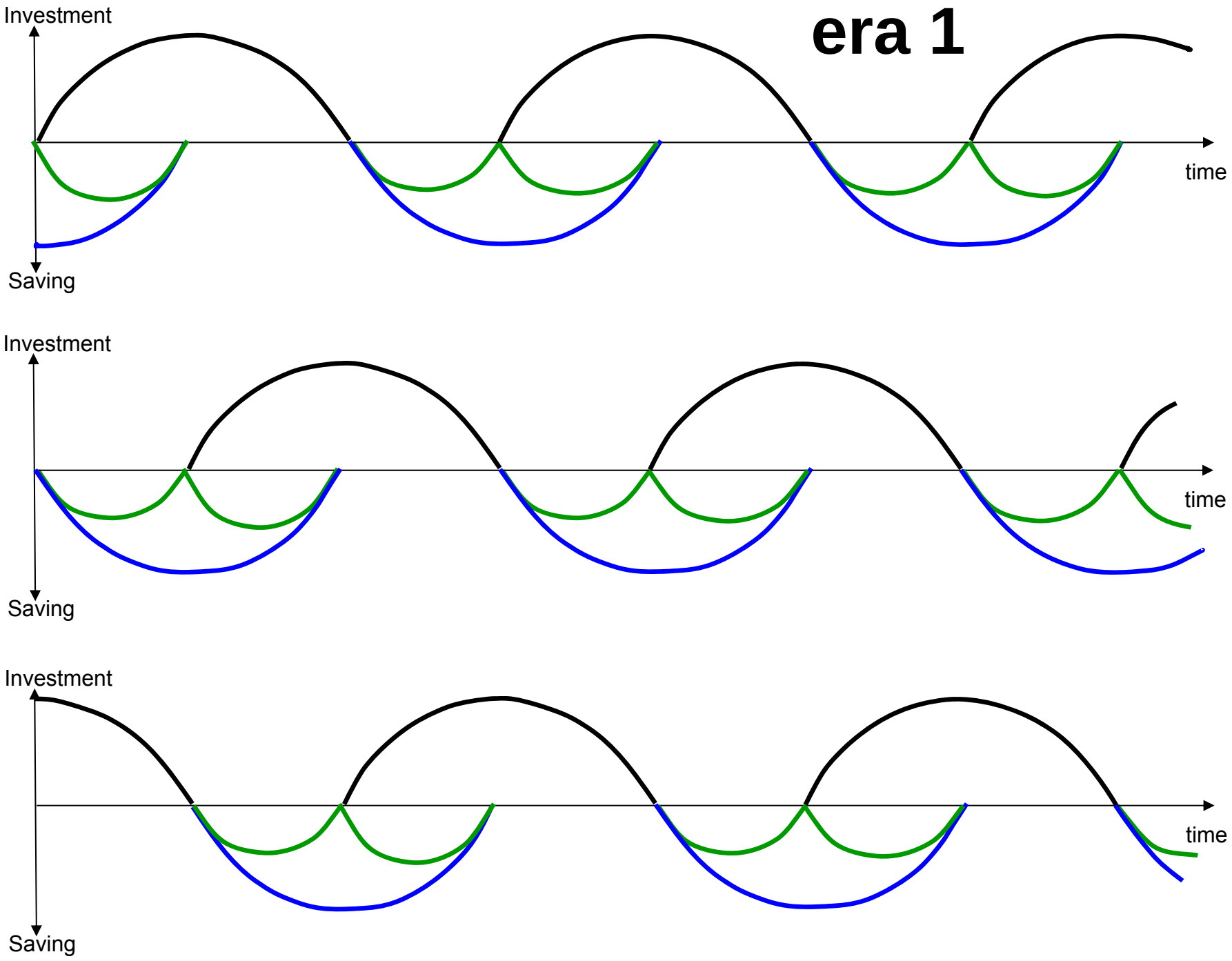
era 1



blue paper competes with green paper (held twice)

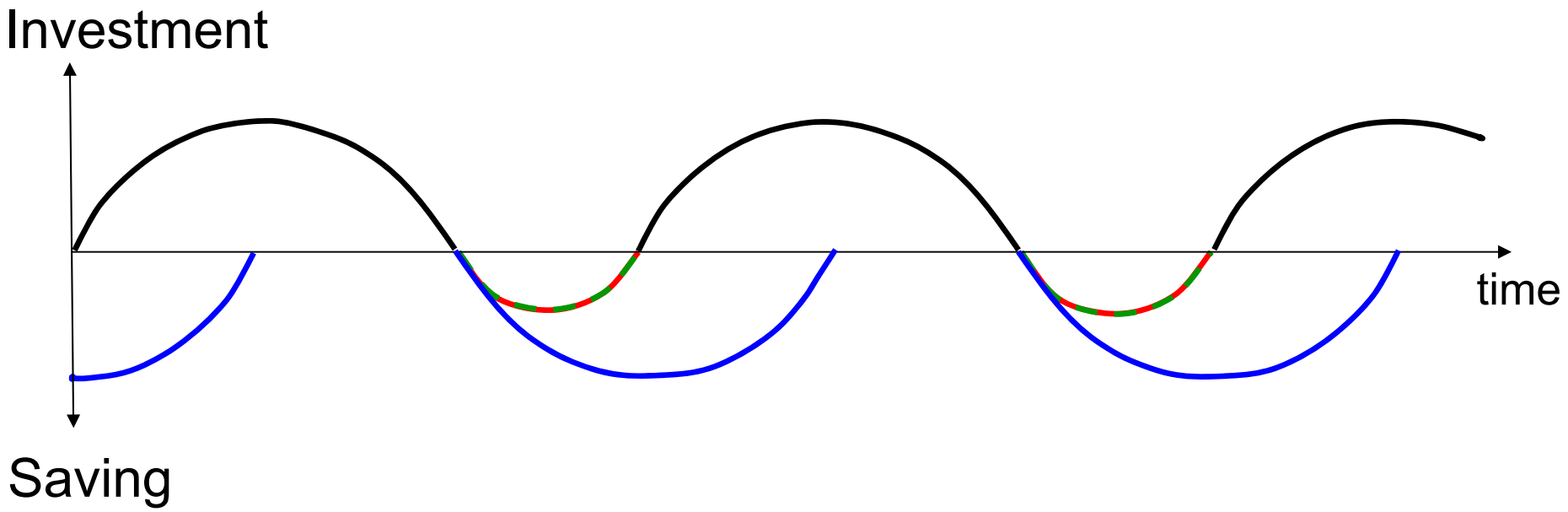
$\Rightarrow$ q = 1: no liquidity premium

$\Rightarrow$ no bundling: no red paper


era 1
Investment
time
Saving
Investment
time
Saving
Investment
time
Saving

era 2

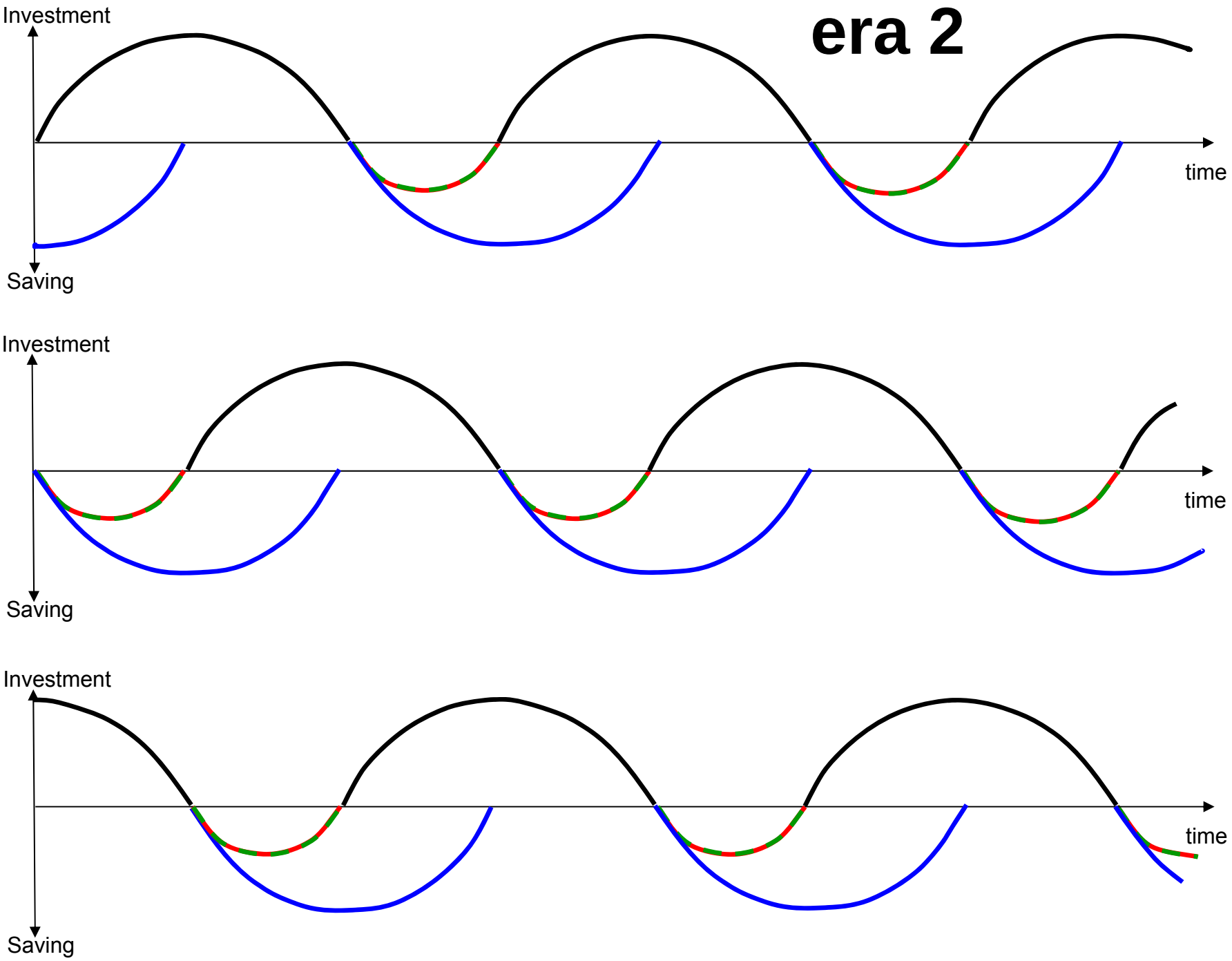
era 2



$$1 \geq p^2 > q > \beta^2$$

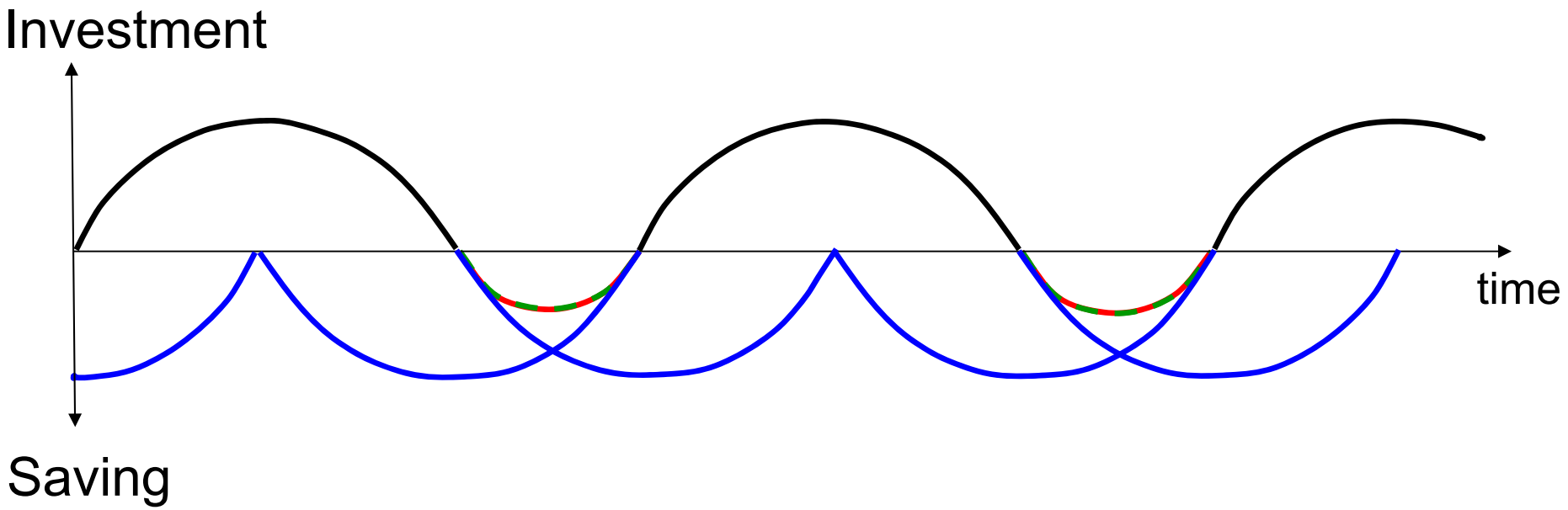
if strict, green paper
does not circulate

positive liquidity premium
$\Rightarrow$ bundling, red paper

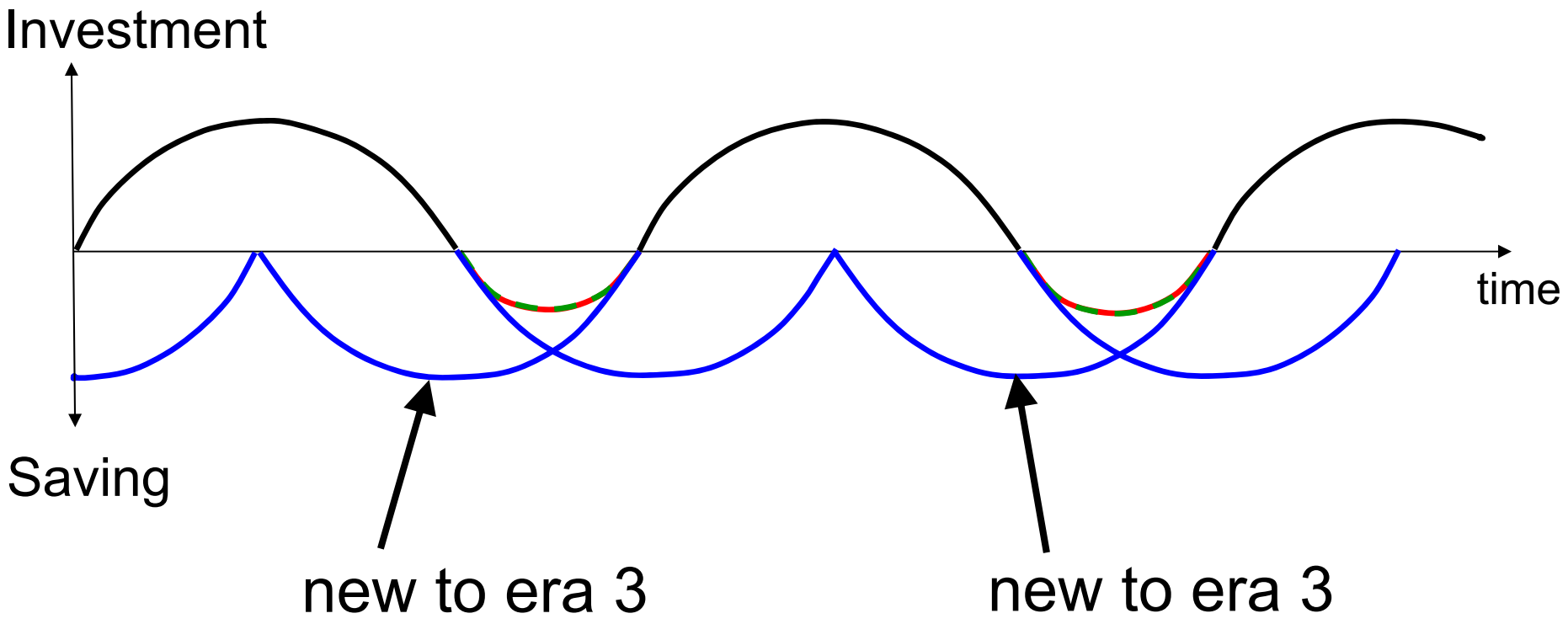

era 2
Investment
time
Saving
Investment
time
Saving
Investment
time
Saving

era 3

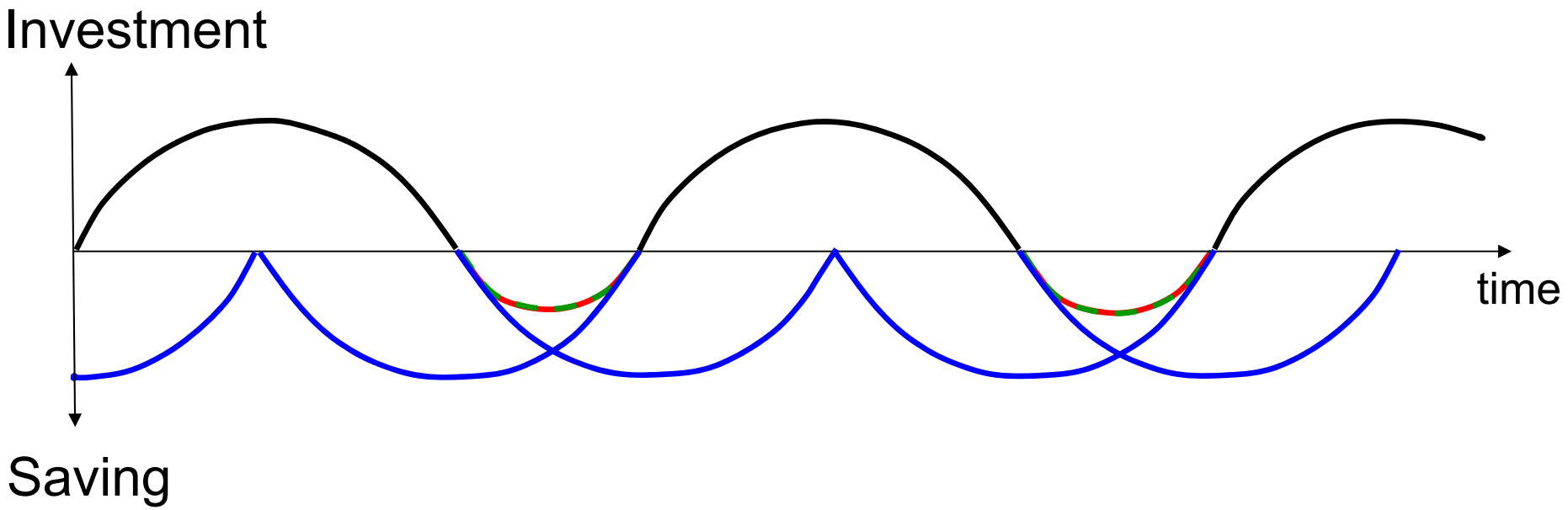
era 3



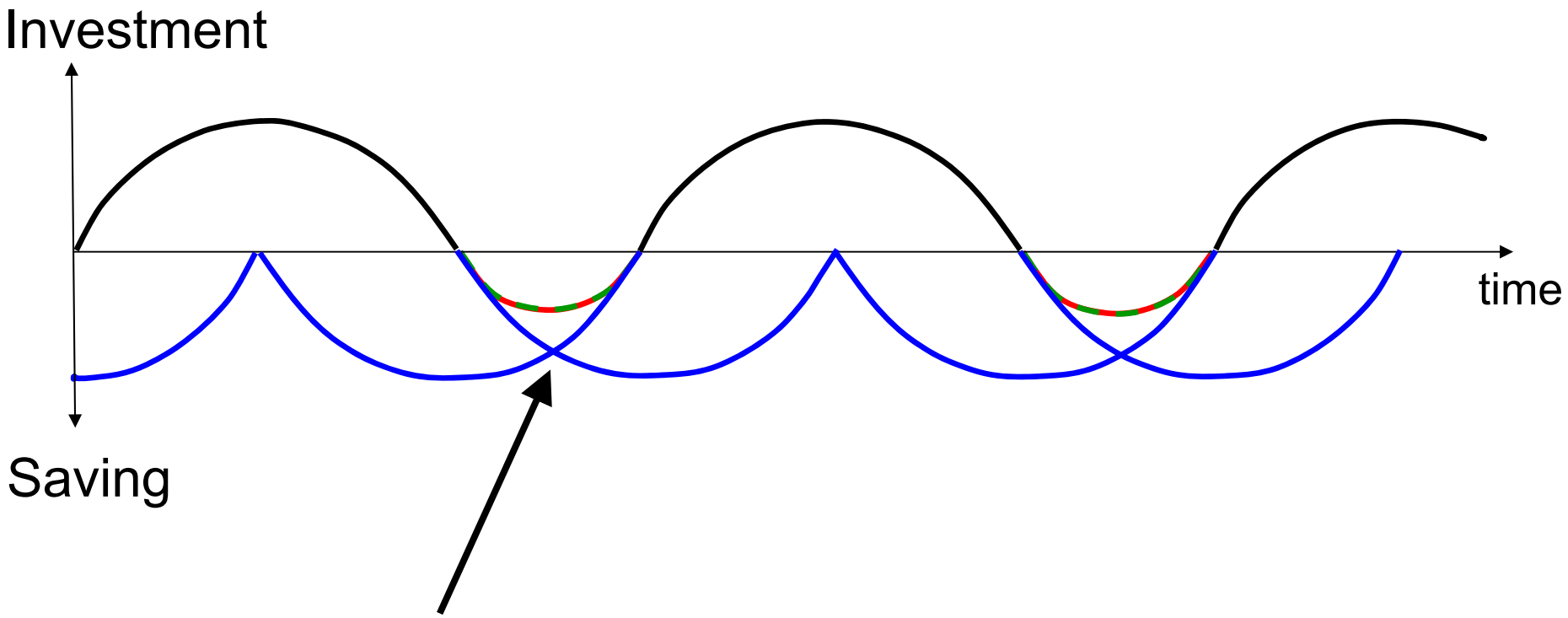
era 3



era 3

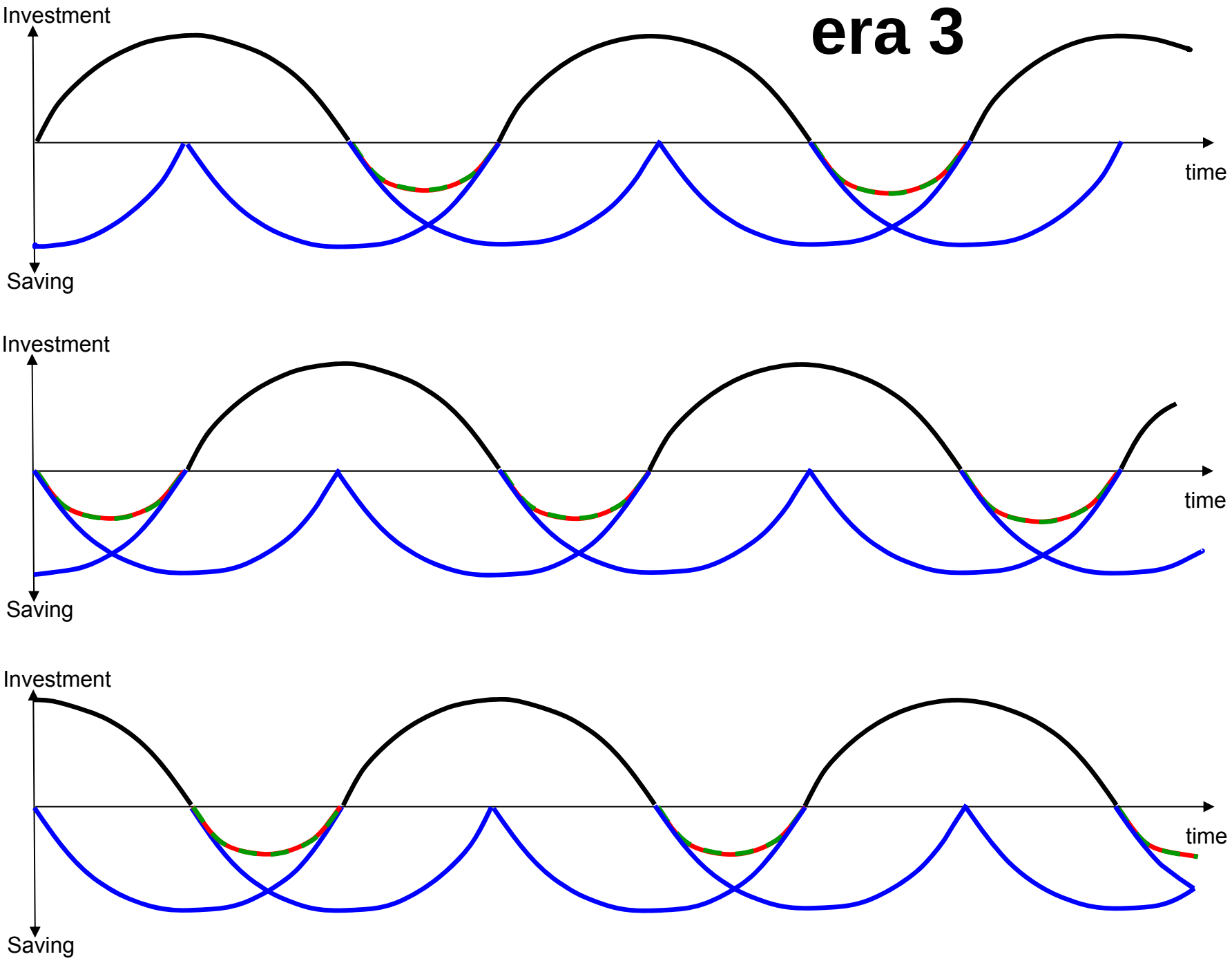


era 3



between projects, agent holds illiquid (blue) paper of different vintages

$\Rightarrow$ great weight on paper markets


era 3
Investment
time
Saving
Investment
time
Saving
Investment
time
Saving

era 3 is a nice example of the power of Adam Smith's "invisible hand":

to create double-coincidences-of-wants in dated goods,

to wriggle round the inflexibility of illiquid paper

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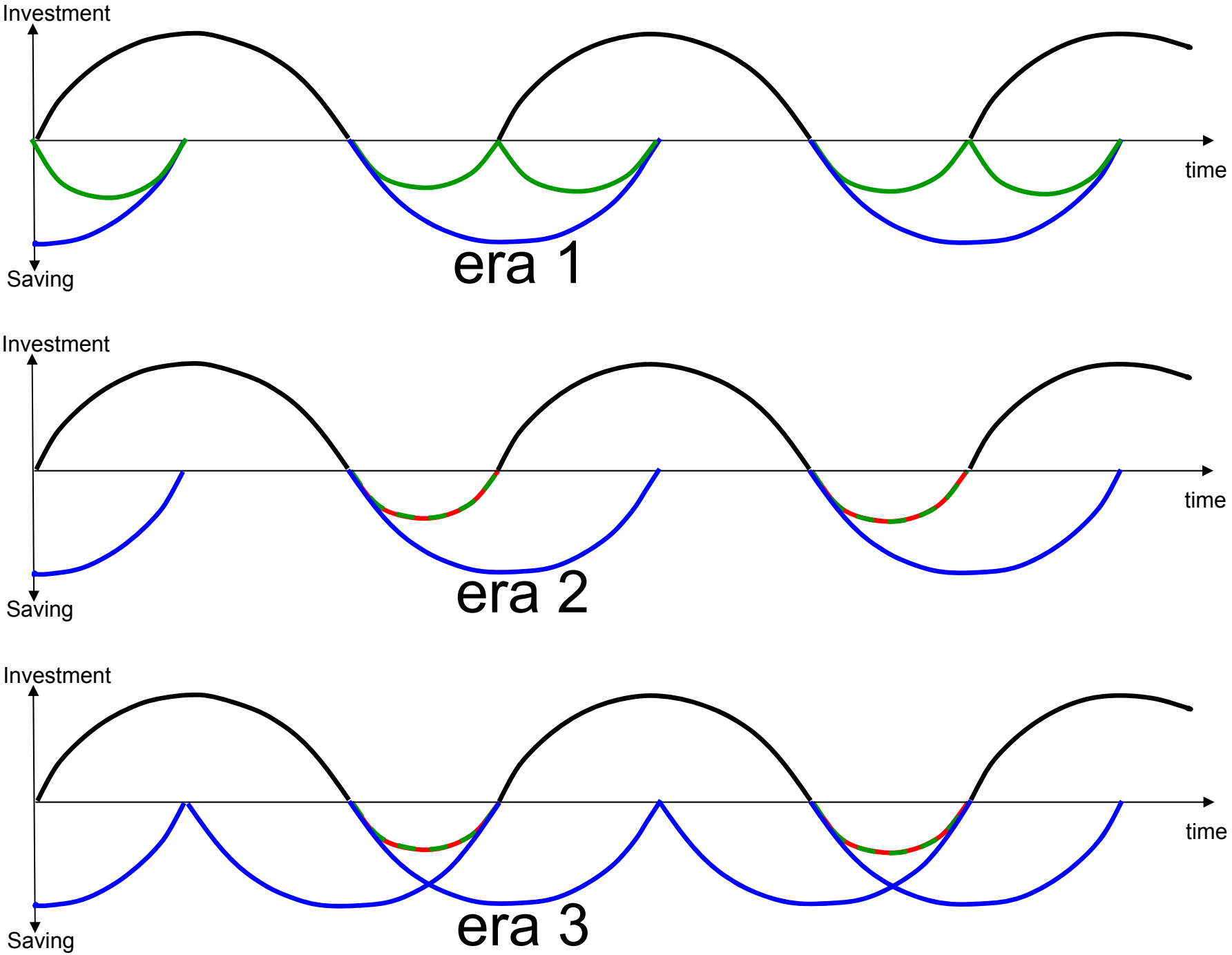
to create double-coincidences-of-wants in dated goods,

to wriggle round the inflexibility of illiquid paper

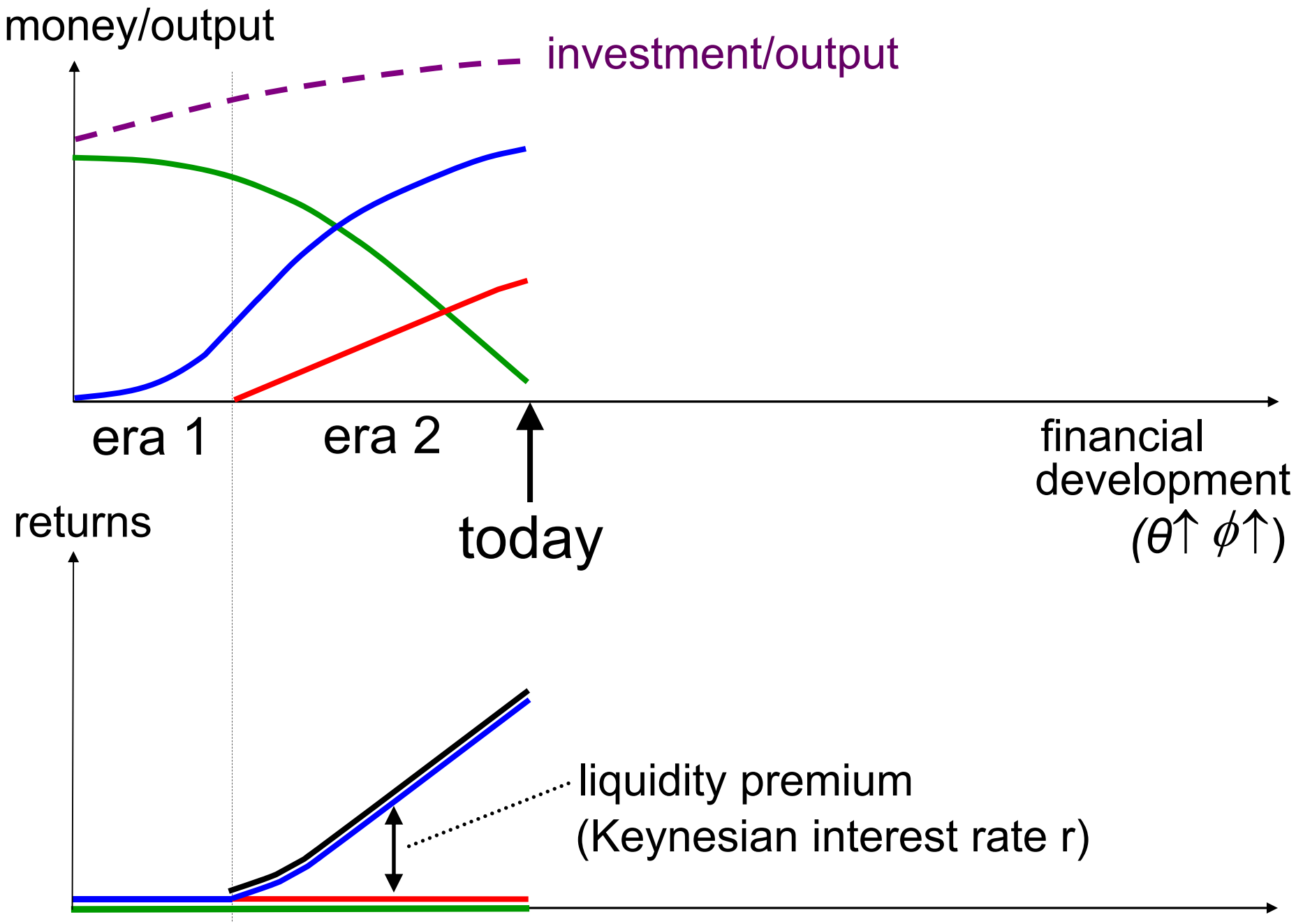
indeed, with enough trust (θ close to 1), first-best is achieved

(in the limit $\theta = 1$, Arrow-Debreu)

overview of the 3 eras:

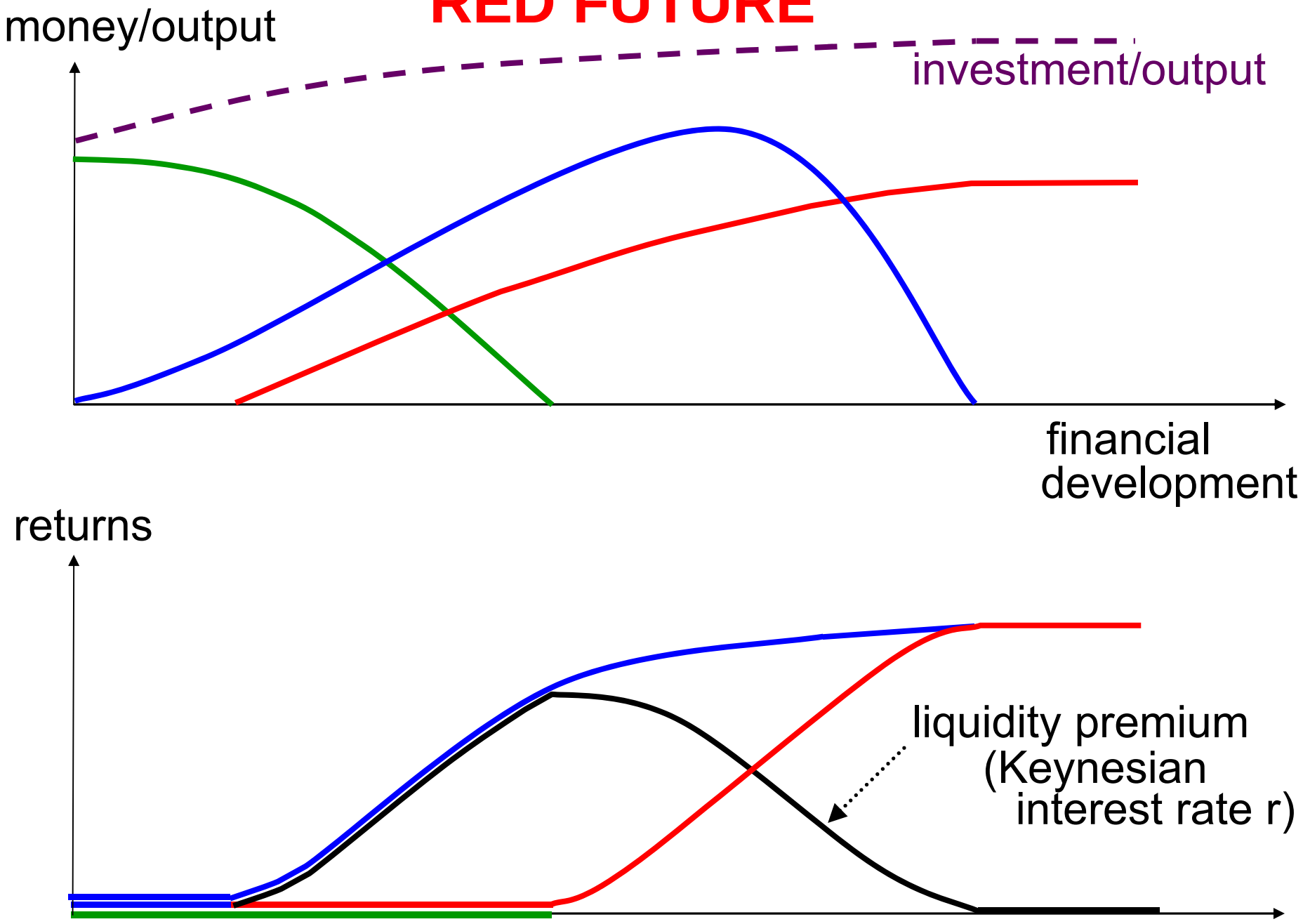

Investment
time
Saving
era 1
Investment
time
Saving
era 2
Investment
time
Saving
era 3

back to the history of money:


money/output
investment/output
era 1
era 2
today
financial
development
(θ↑ ϕ↑)
returns
liquidity premium
(Keynesian interest rate r)

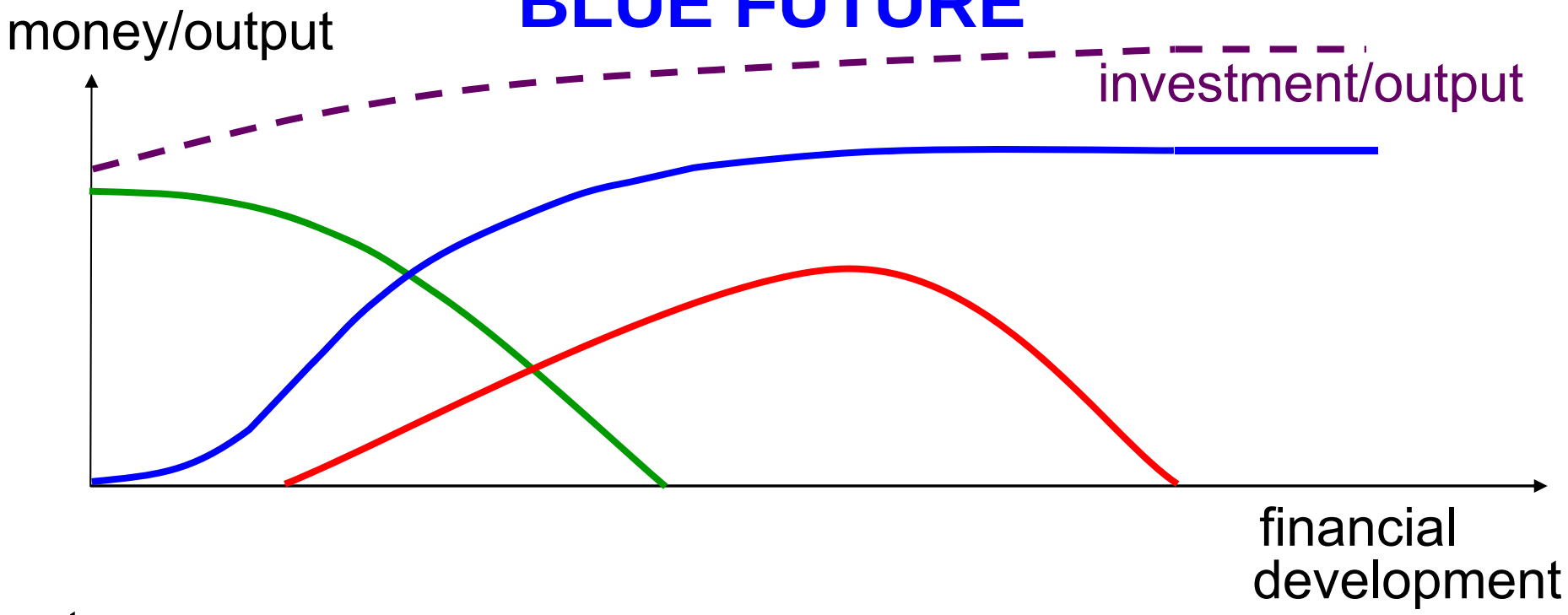
and now, the RED FUTURE:

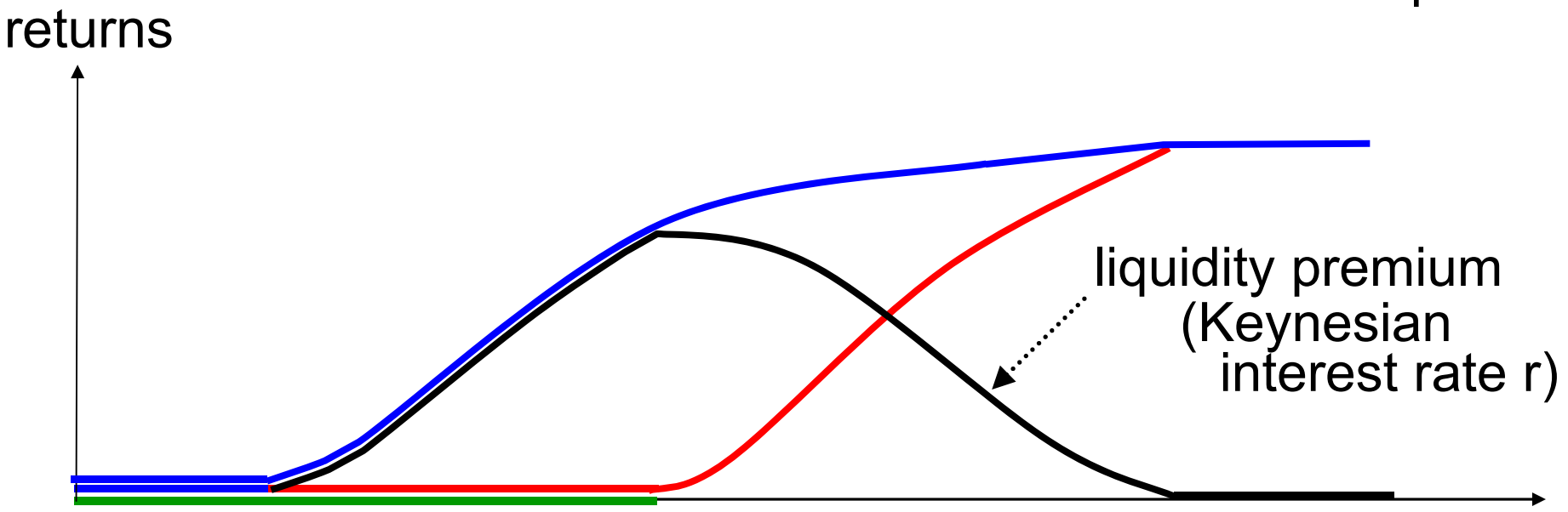
RED FUTURE


money/output
investment/output
financial development
returns
liquidity premium (Keynesian interest rate r)

next, the BLUE FUTURE:

BLUE FUTURE


money/output
investment/output
financial
development


returns
liquidity premium
(Keynesian
interest rate r)